

New Interfaces for Musical Expression

May 28, 2013 | Daejeon, Korea Republic



Adaptive mapping for improved pitch accuracy on touch user interfaces

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LIMSI - CNRS



Outline

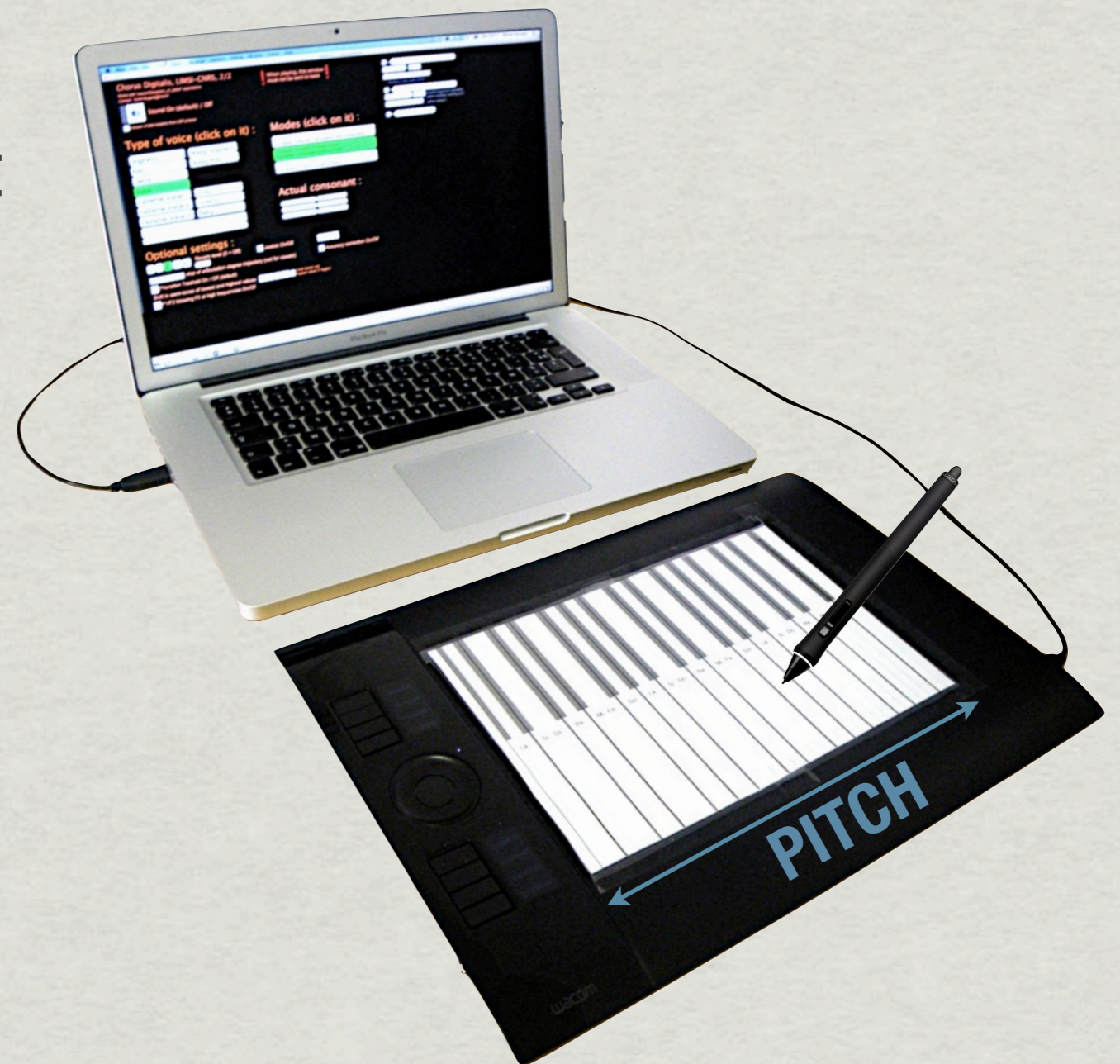
- ✱ Our instrument:
The Cantor Digitalis
- ✱ Discrete and
continuous mapping
- ✱ Adaptive mapping
- ✱ Experiment
- ✱ Conclusions

Outline

- * Our instrument:
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Cantor Digitalis

- * Digital singing instrument
- * Vocal synthesizer
 - * Source + filter model
 - * Real time
- * Controlled by a graphic tablet
 - * Vocal effort: stylus pressure
 - * Pitch: stylus X-coordinate



Two constrains

- ✱ Vocal expressivity

- ✱ Portamento

- ✱ Vibrato

- ✱ Glissando

- ✱ Melodic ornaments

- ✱ Accuracy

- ✱ Pitch controlled by an object position

Two constrains

* Vocal expressivity

- * Portamento
- * Vibrato
- * Glissando
- * Melodic ornaments

* Accuracy

- * Pitch controlled by an object position

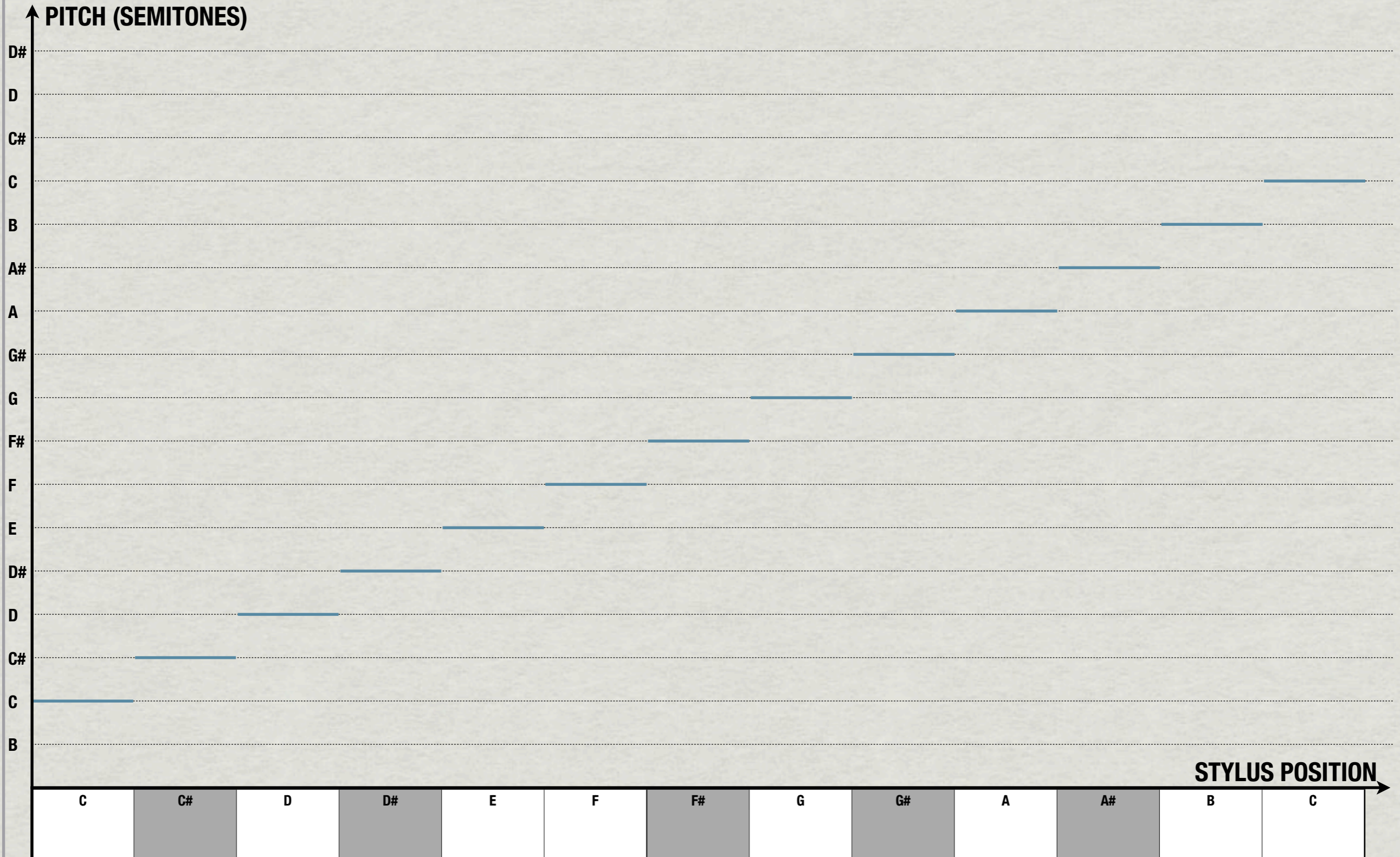
WHERE DO I PUT THE STYLUS / MY FINGERS TO PLAY IN TUNE ?

- * Musician: *“You need at least 10 years of practice”*
- * Scientist: *“It depends on the mapping between stylus position and pitch”*

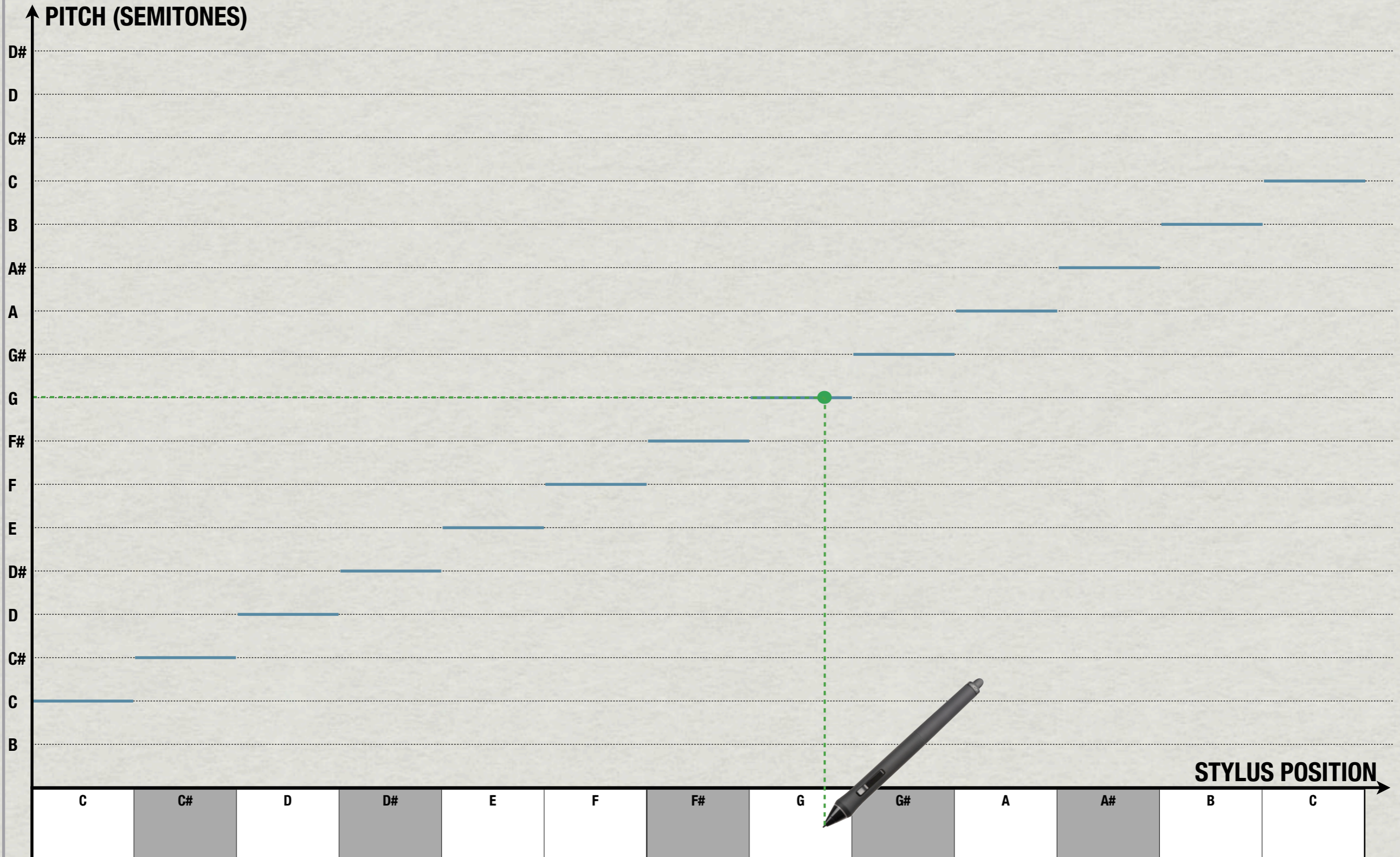
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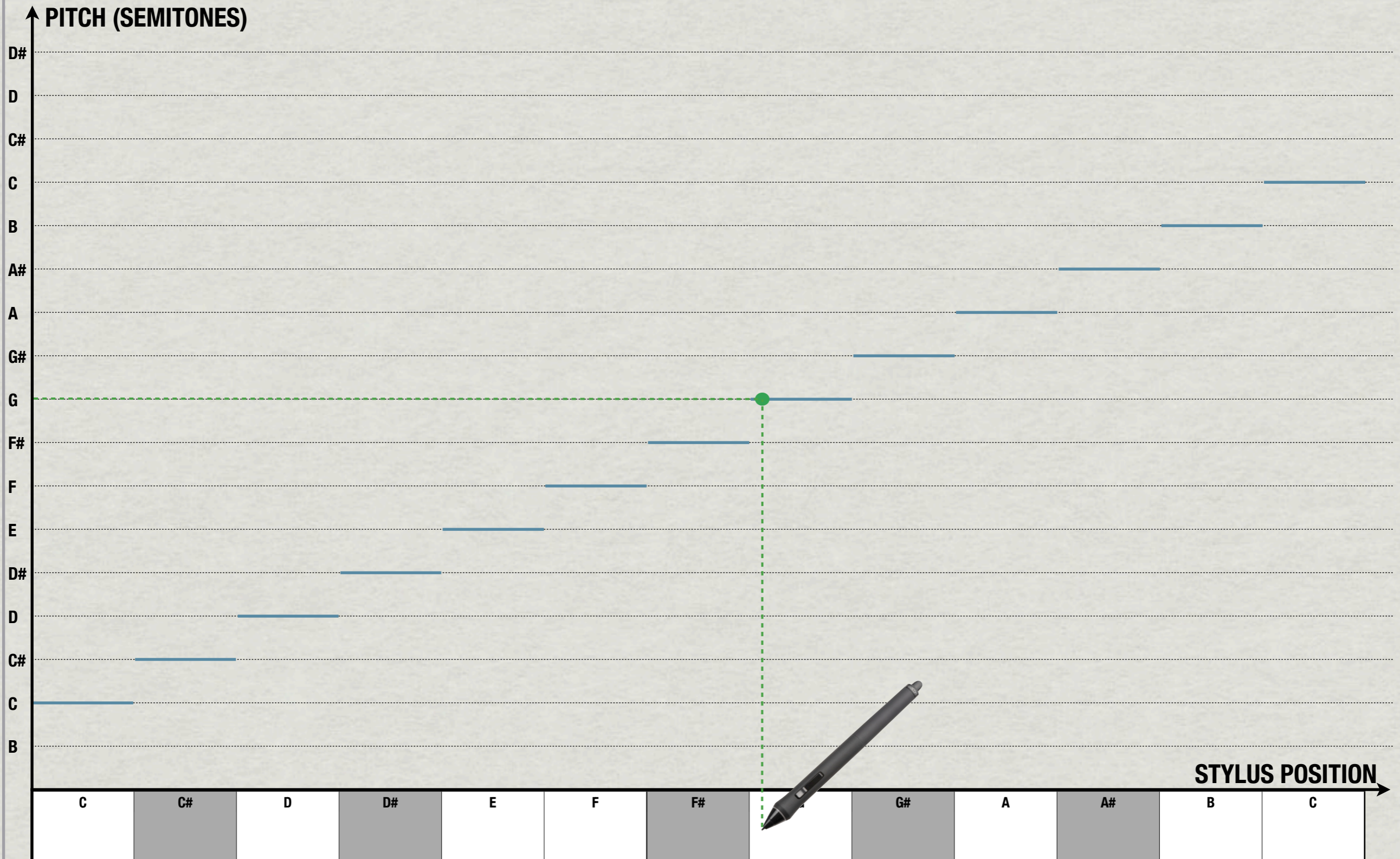
Discrete mapping



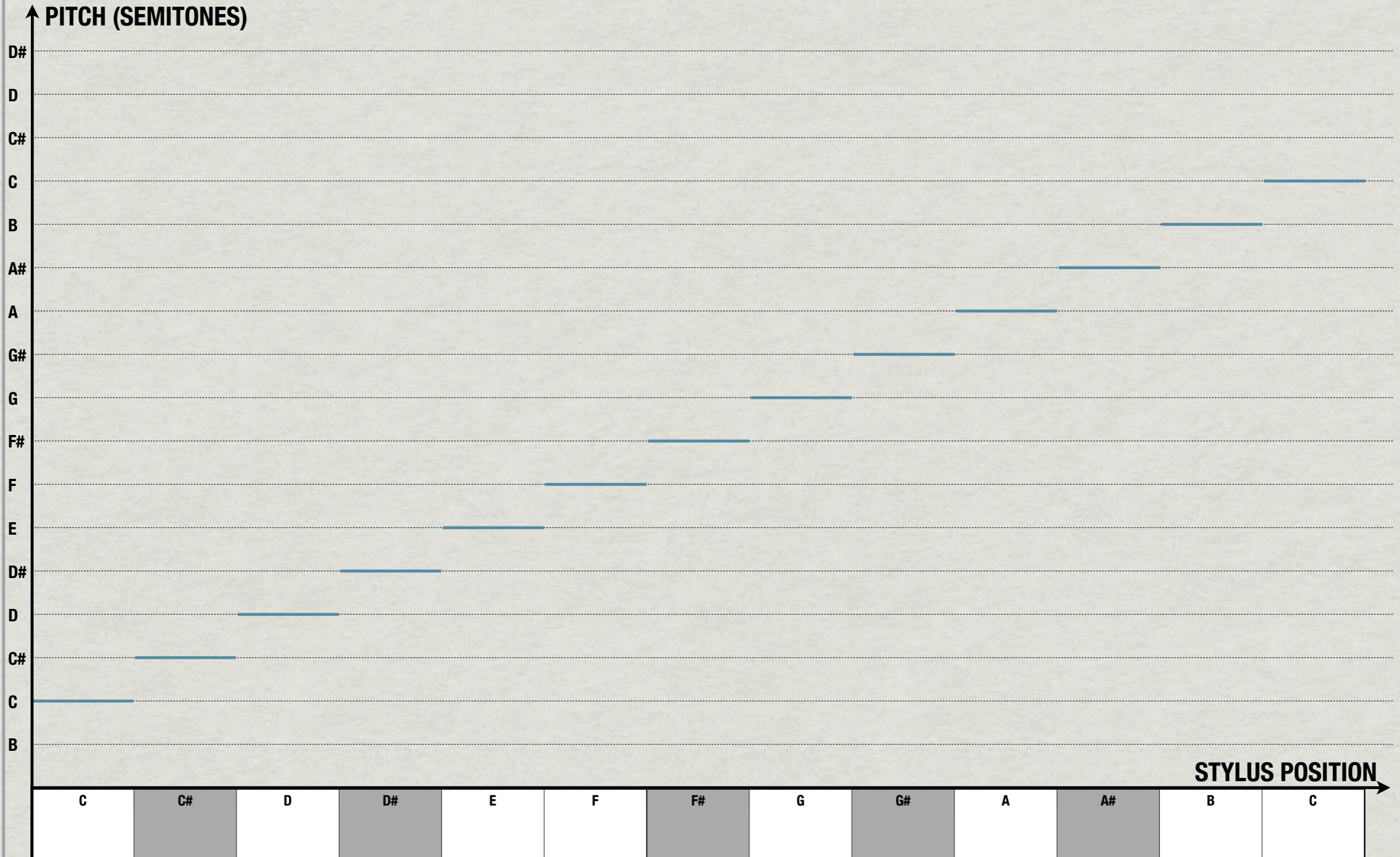
Discrete mapping



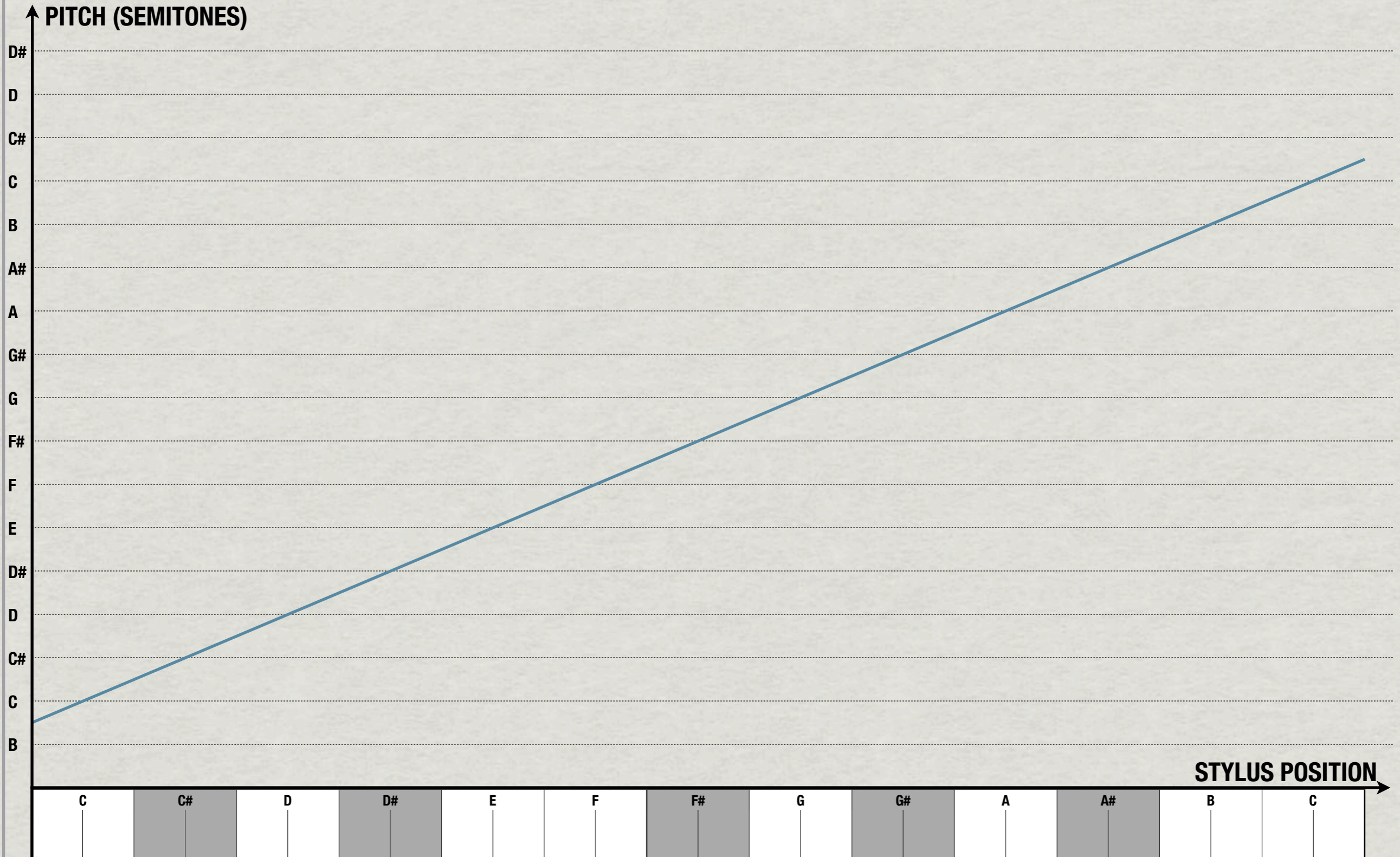
Discrete mapping



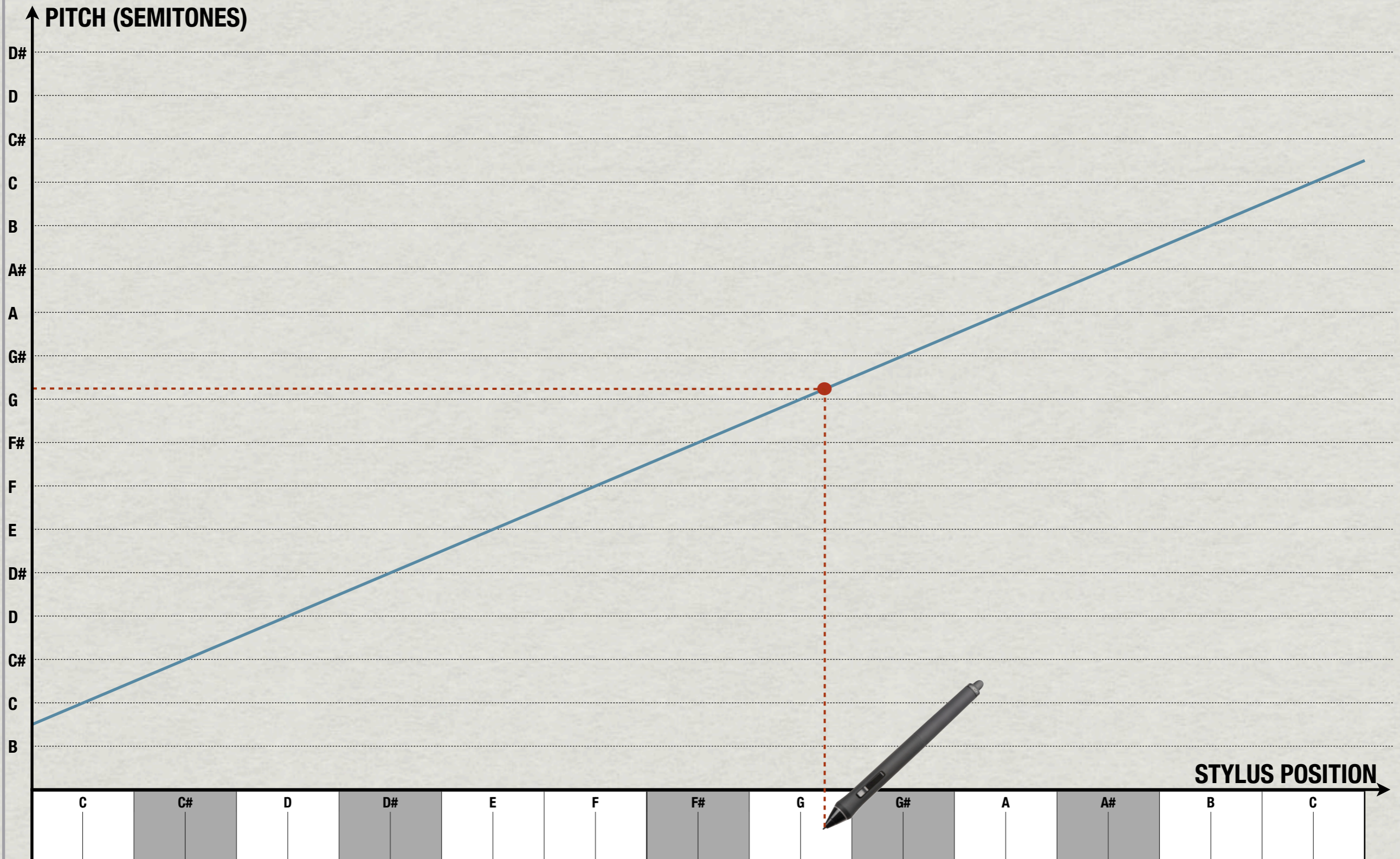
Discrete mapping



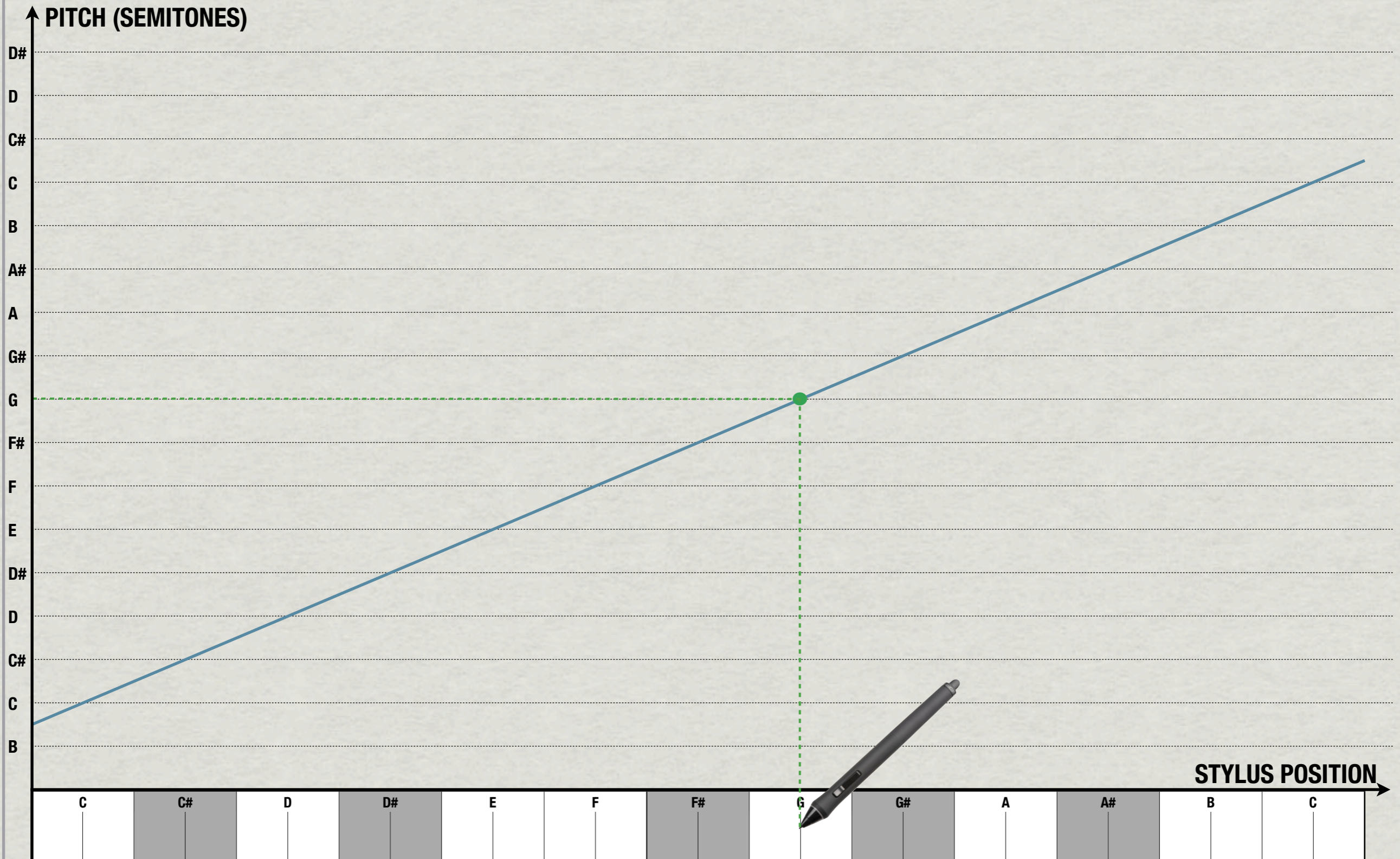
Continuous mapping



Continuous mapping



Continuous mapping



Discrete vs Continuous

| | Discrete | Continuous |
|--------------------|----------|------------|
| Accuracy | Inherent | Hard |
| Pitch expressivity | Low | High |

- * Improve expressivity in discrete mappings
- * Improve accuracy in continuous mappings

Discrete vs Continuous

| | Discrete | Continuous |
|--------------------|----------|------------|
| Accuracy | Inherent | Hard |
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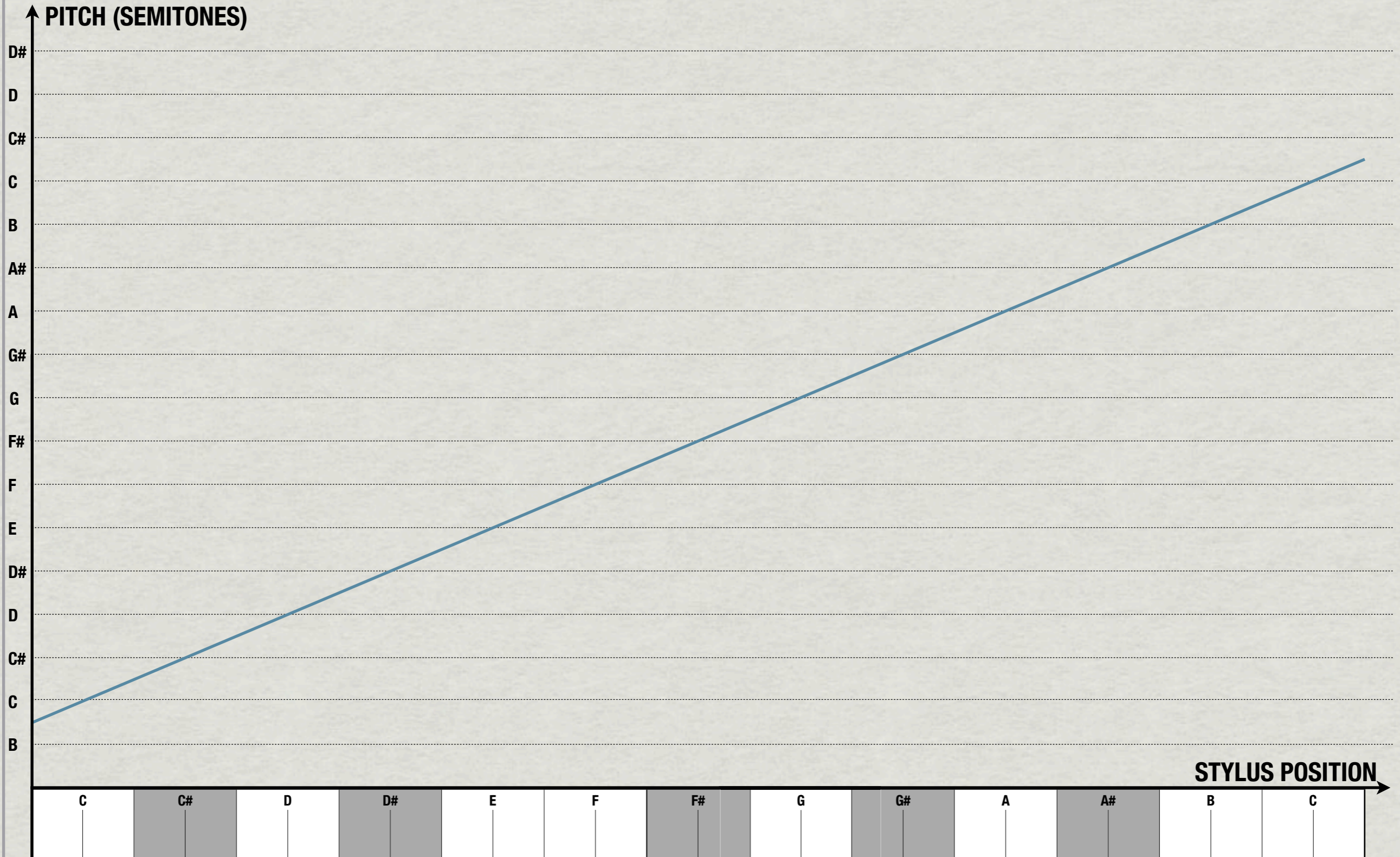
- * Improve expressivity in discrete mappings
- * Improve accuracy in continuous mappings

ADAPTIVE MAPPING

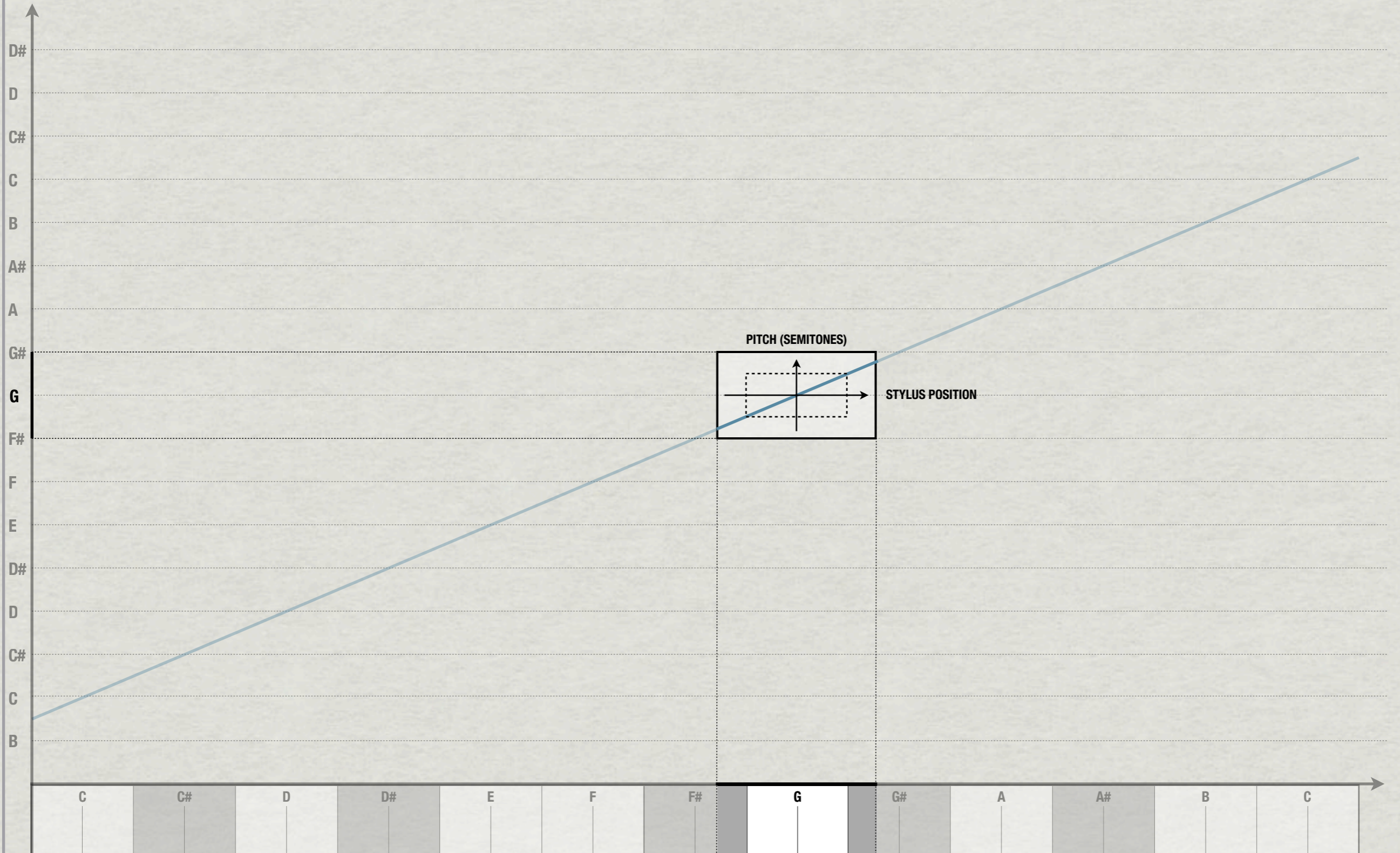
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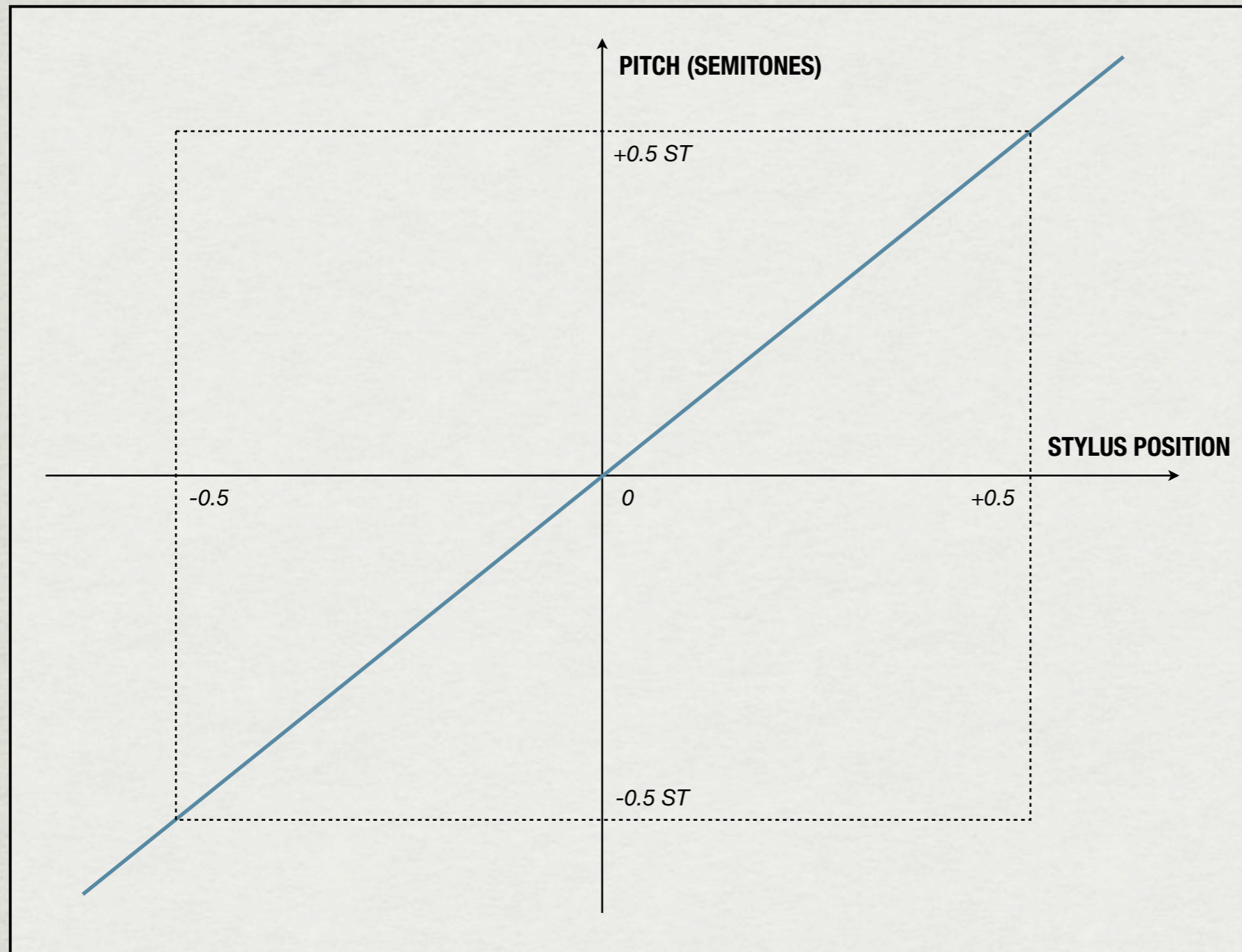
Continuous mapping



Continuous mapping



Linear mapping



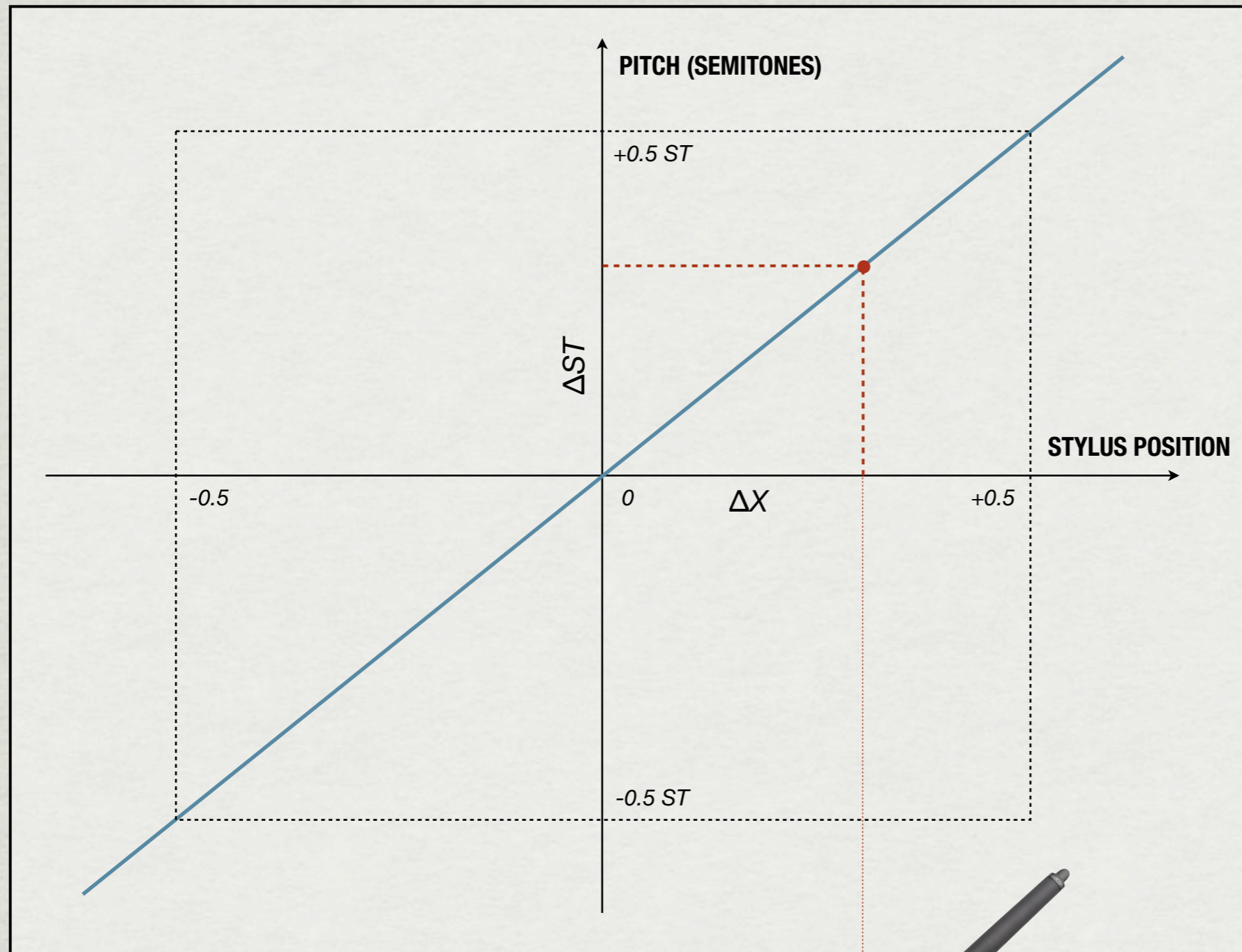
- * Proportional error between pitch and position
- * Accurate pitch at precise position

F#

G

G#

Linear mapping



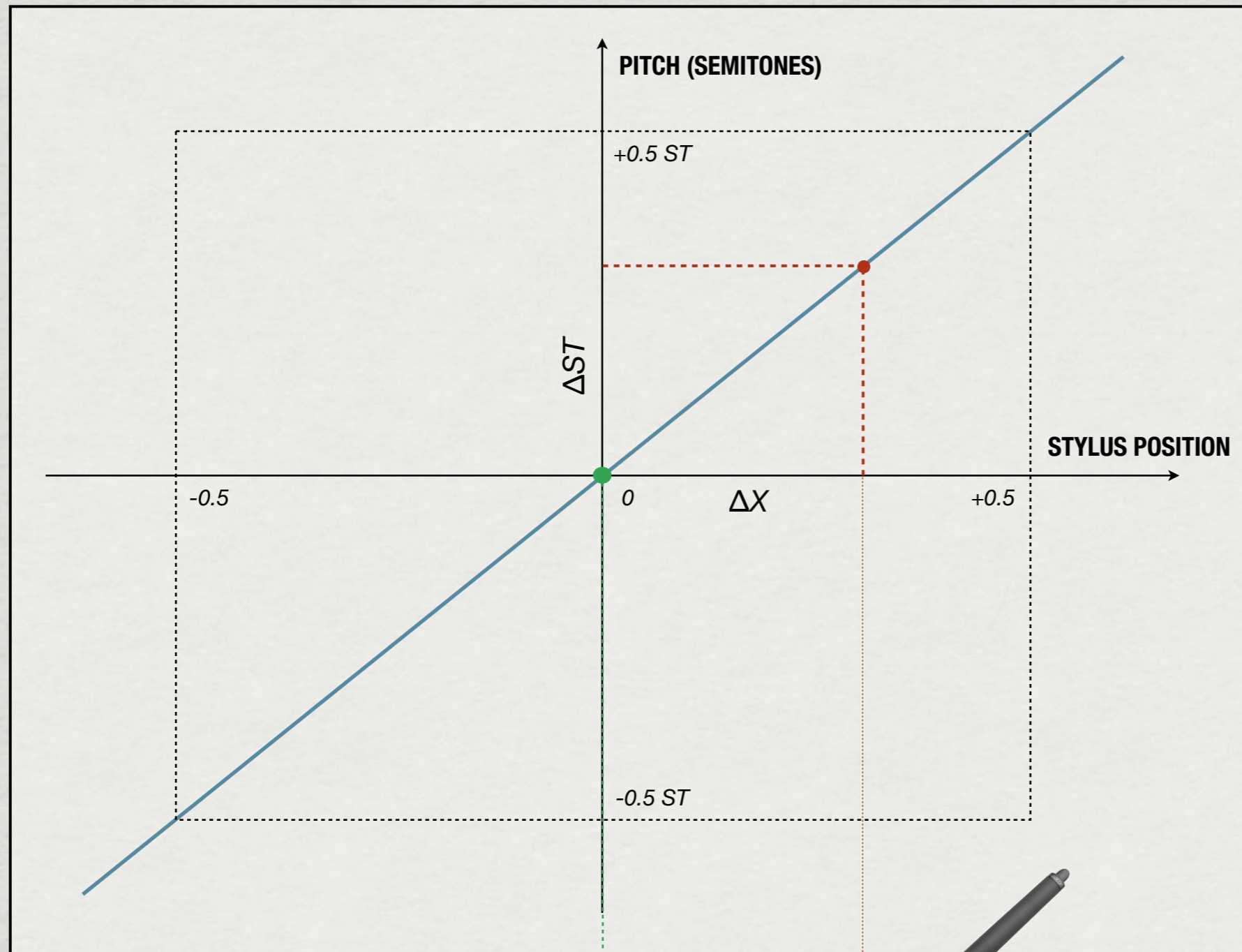
- * Proportional error between pitch and position
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G

G#

Linear mapping



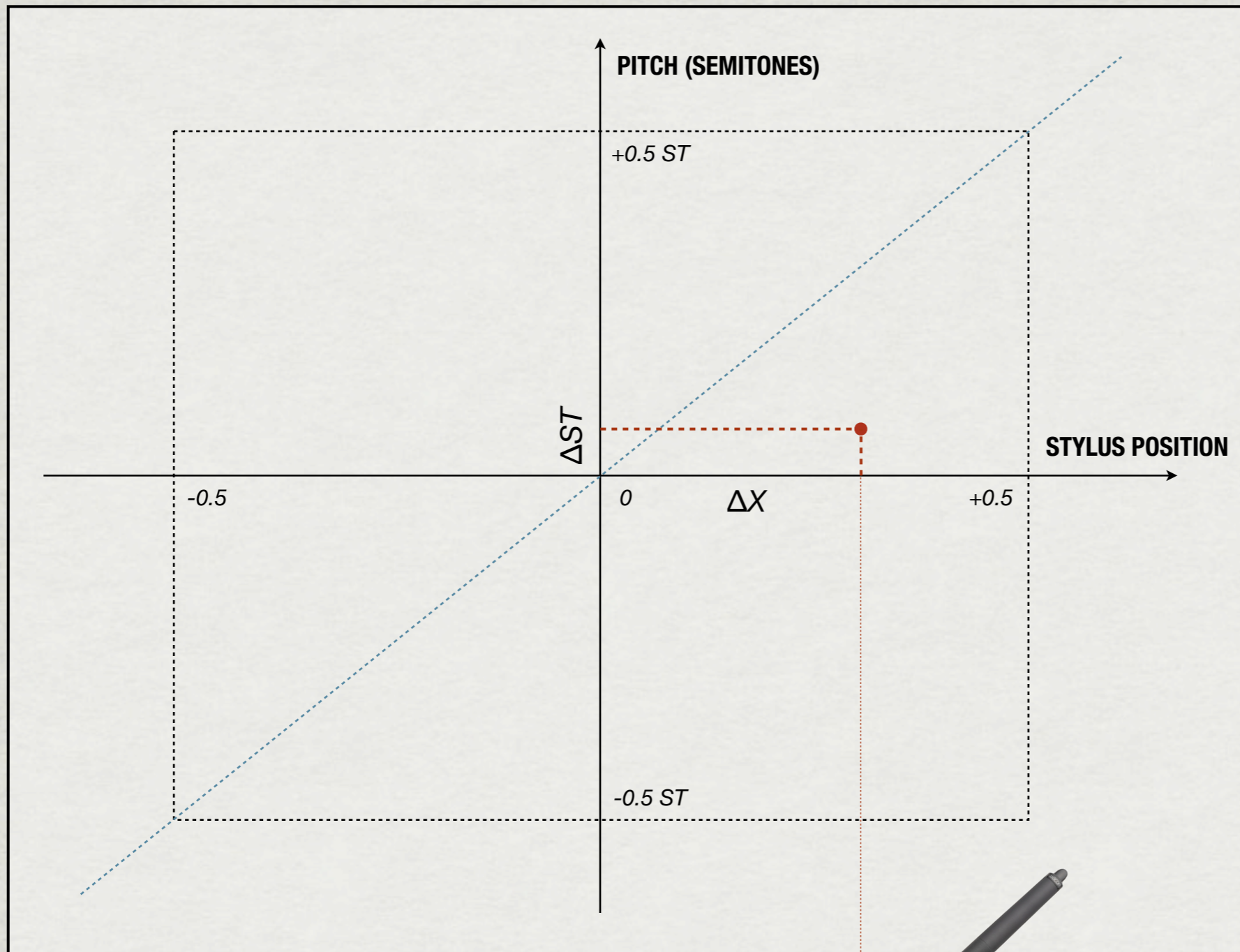
- * Proportional error between pitch and position
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F#

G

G#

Non-linear mapping

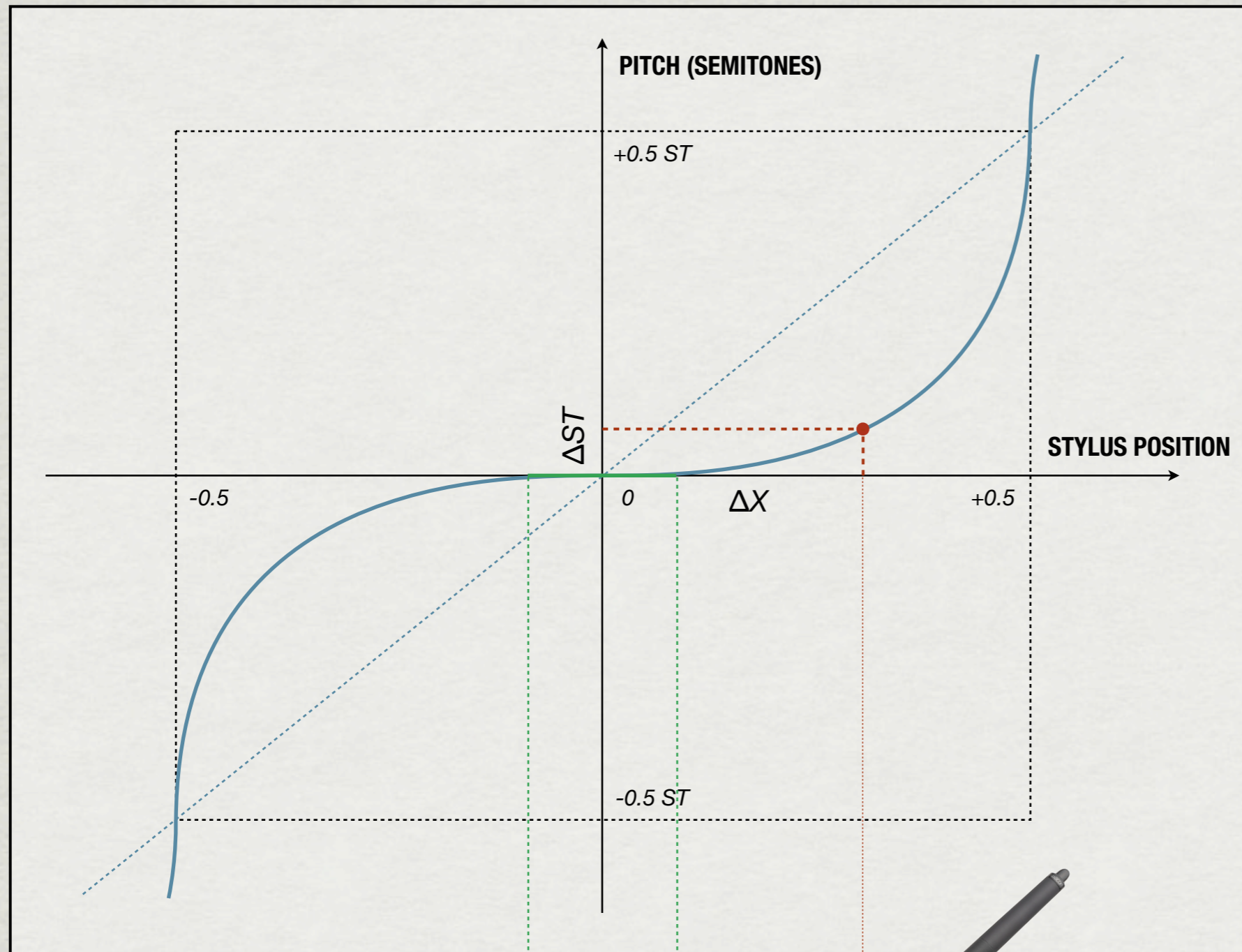


F#

G

G#

Non-linear mapping



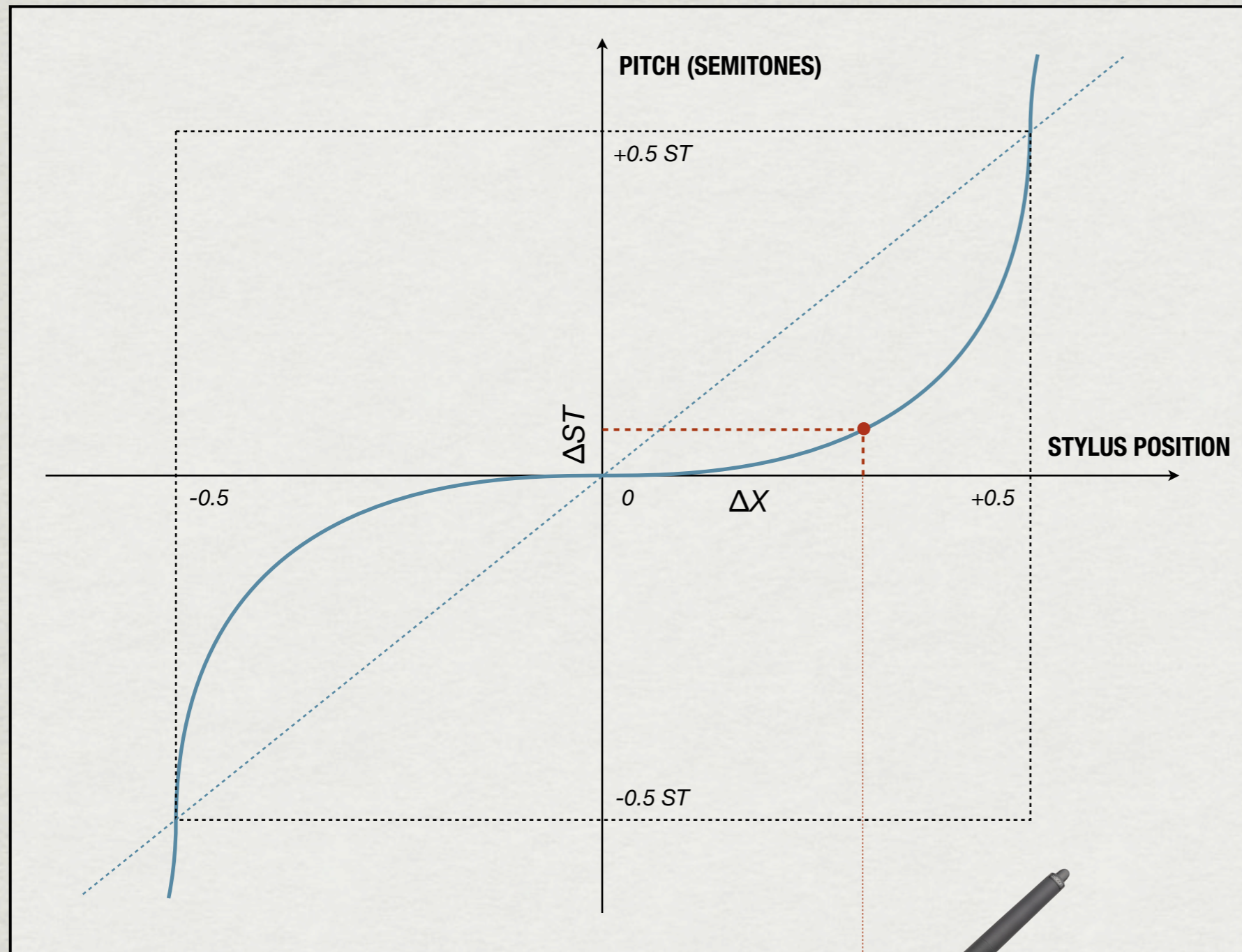
- * Contraction of curve around target
- * Smaller error
- * Larger range to play accurately
- * Loss of expressivity

F#

G

G#

Non-linear mapping

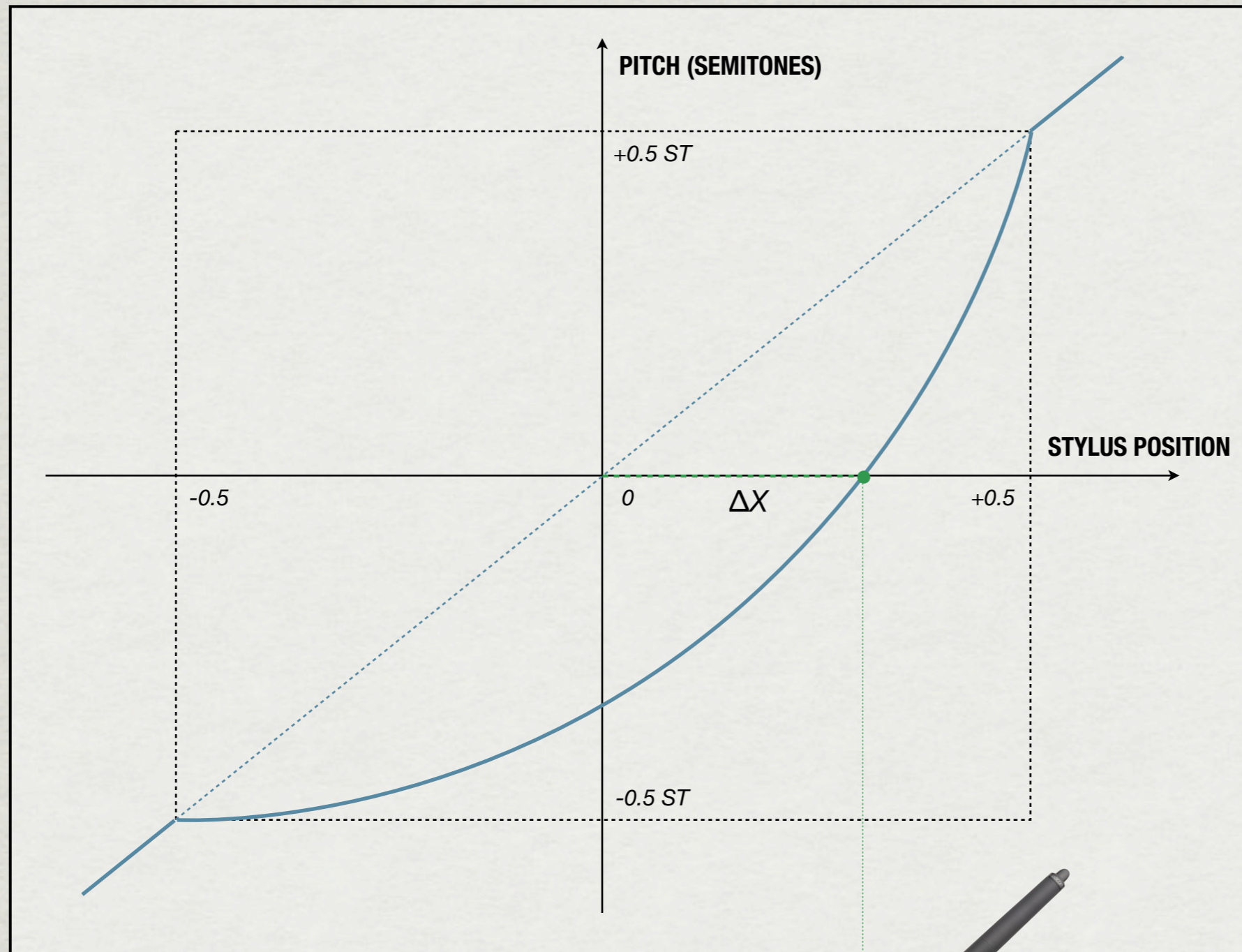


F#

G

G#

Non-linear mapping



- * Curve goes through the position of stylus
- * Adaptation of the target
- * Always play accurately

**ONLY AT THE
STYLUS CONTACT**

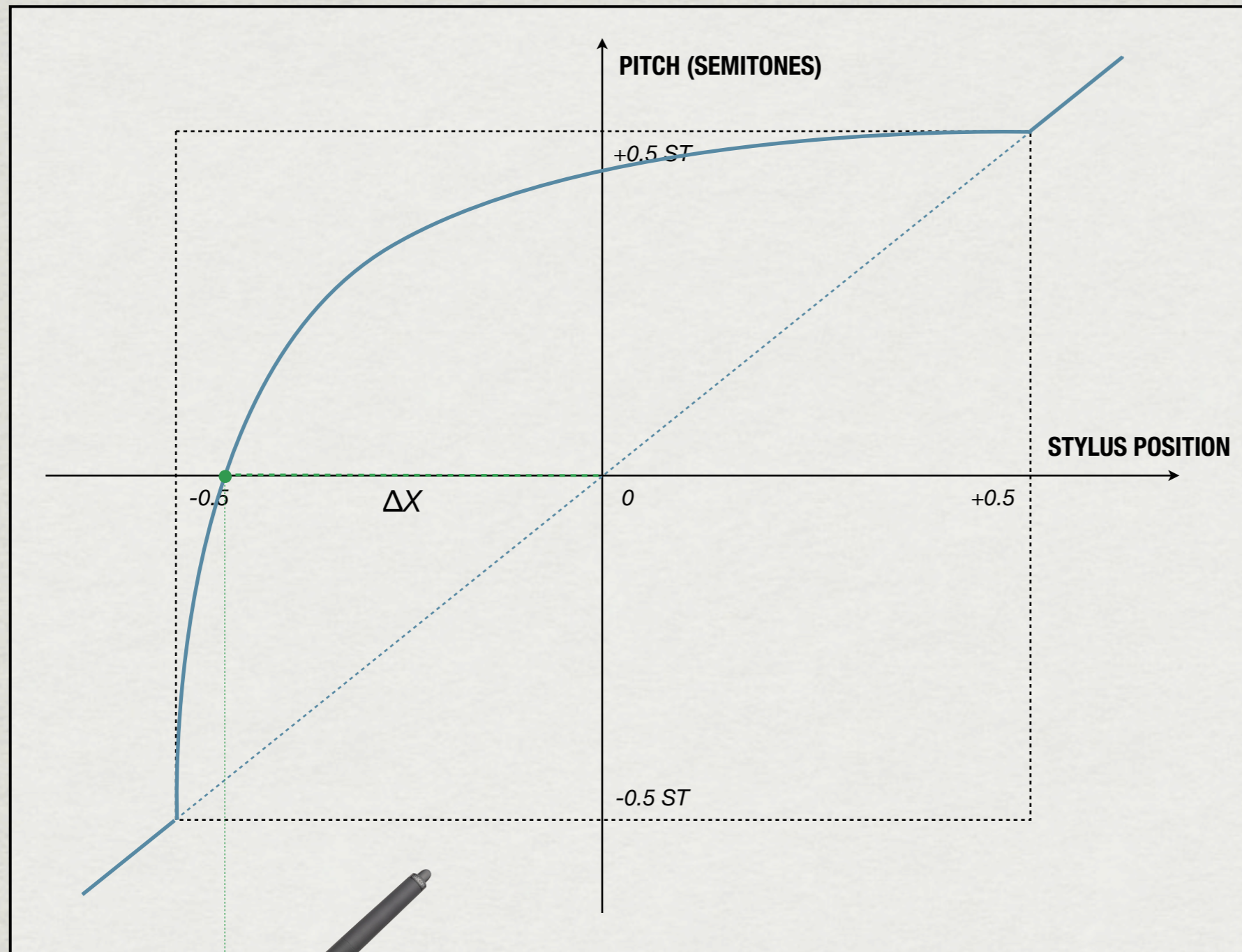
- * Keep expressivity after contact

F#

G

G#

Non-linear mapping



- * Curve goes through the position of stylus

- * Adaptation of the target

- * Always play accurately

**ONLY AT THE
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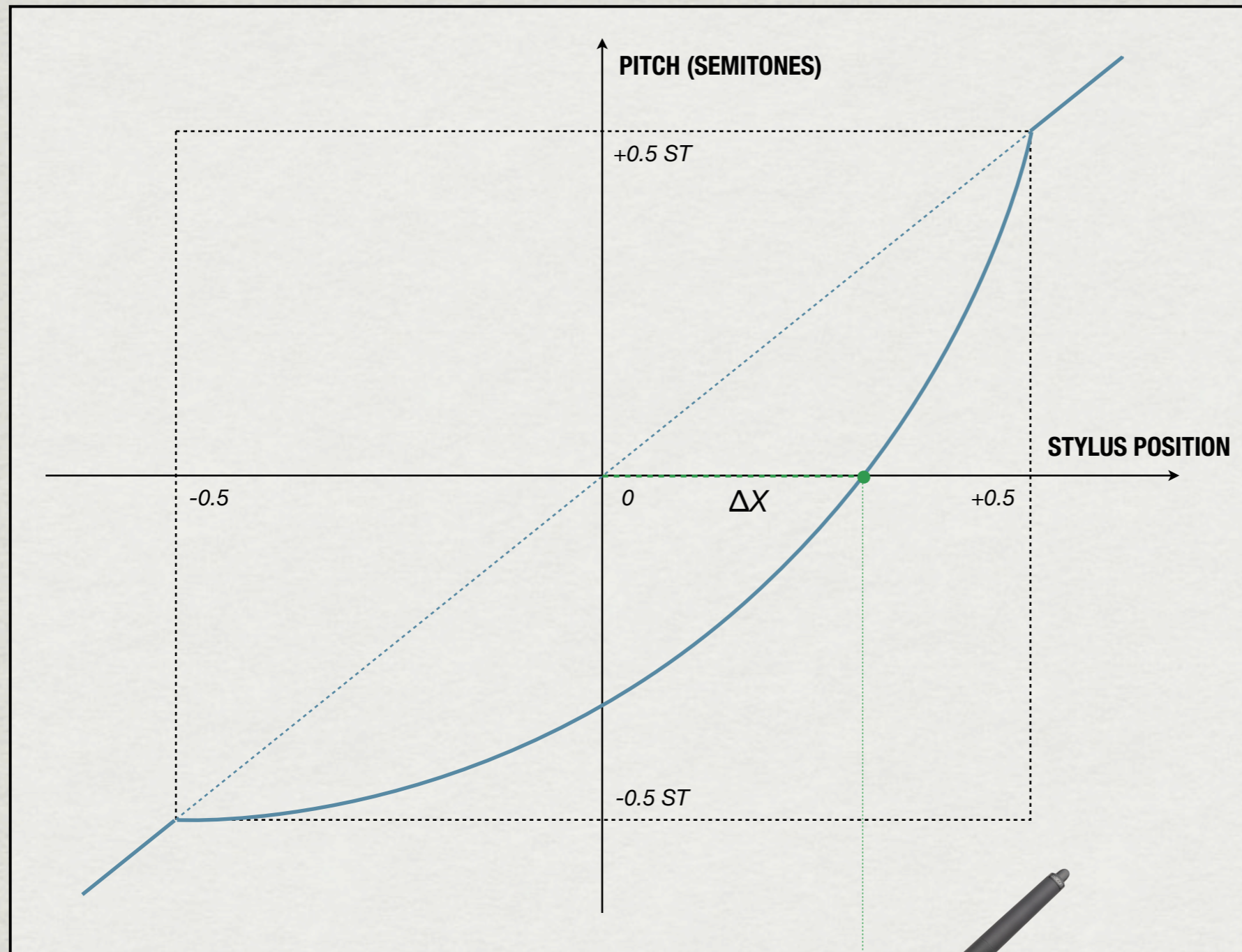
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Non-linear mapping



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**ONLY AT THE
STYLUS CONTACT**

- * Keep expressivity after contact

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Analytic expressions

* Two conditions

- * Value at contact is 0
- * Continuity at $(-0.5 ; -0.5)$ and $(+0.5 ; +0.5)$

$$\rightarrow g(y) = \frac{e^{(y+0.5)\gamma} - 1}{e^\gamma - 1} - 0.5$$

 \leftrightarrow

$$y = f(x) = \frac{1}{\gamma} [\log [(e^\gamma - 1)(x + 0.5) + 1]] - 0.5$$

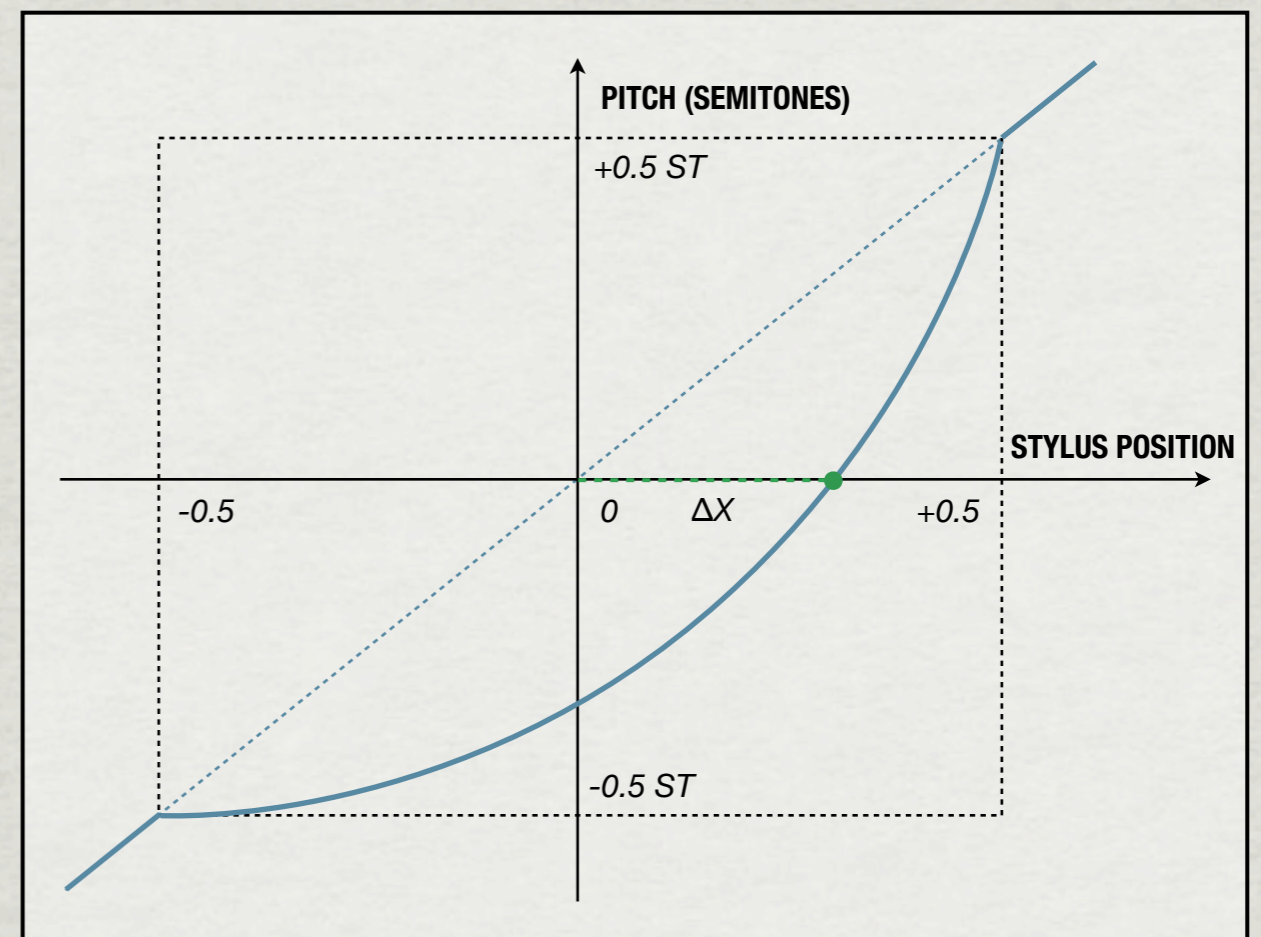
x = pen position
 y = pitch
 γ = curvature

* Curvature

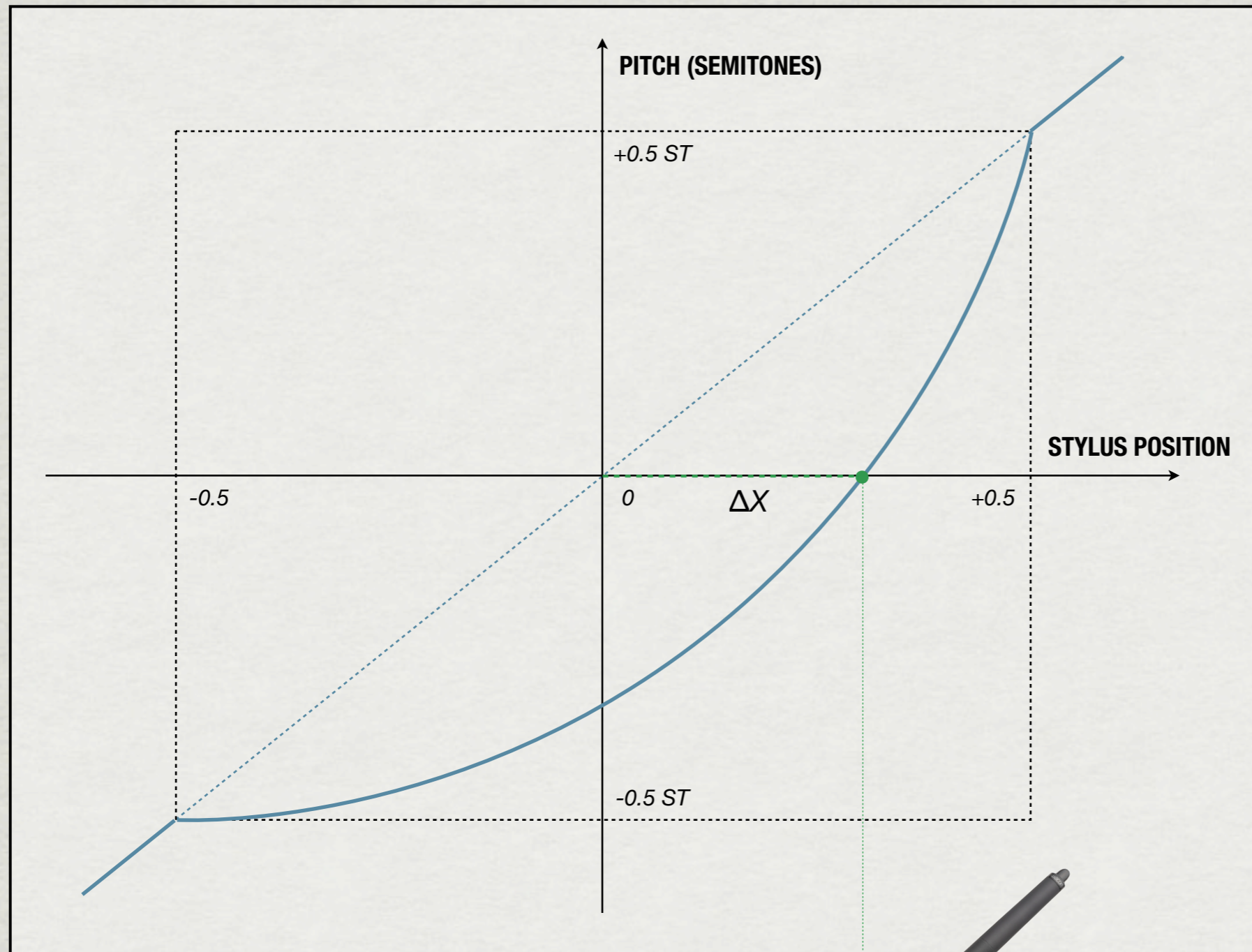
- * Computed at each contact

$$\rightarrow \gamma_0 = 2 \log \left(\frac{1 - 2x_0}{1 + 2x_0} \right)$$

x_0 = pen position at contact
 γ_0 = curvature at contact



Adaptive mapping algorithm



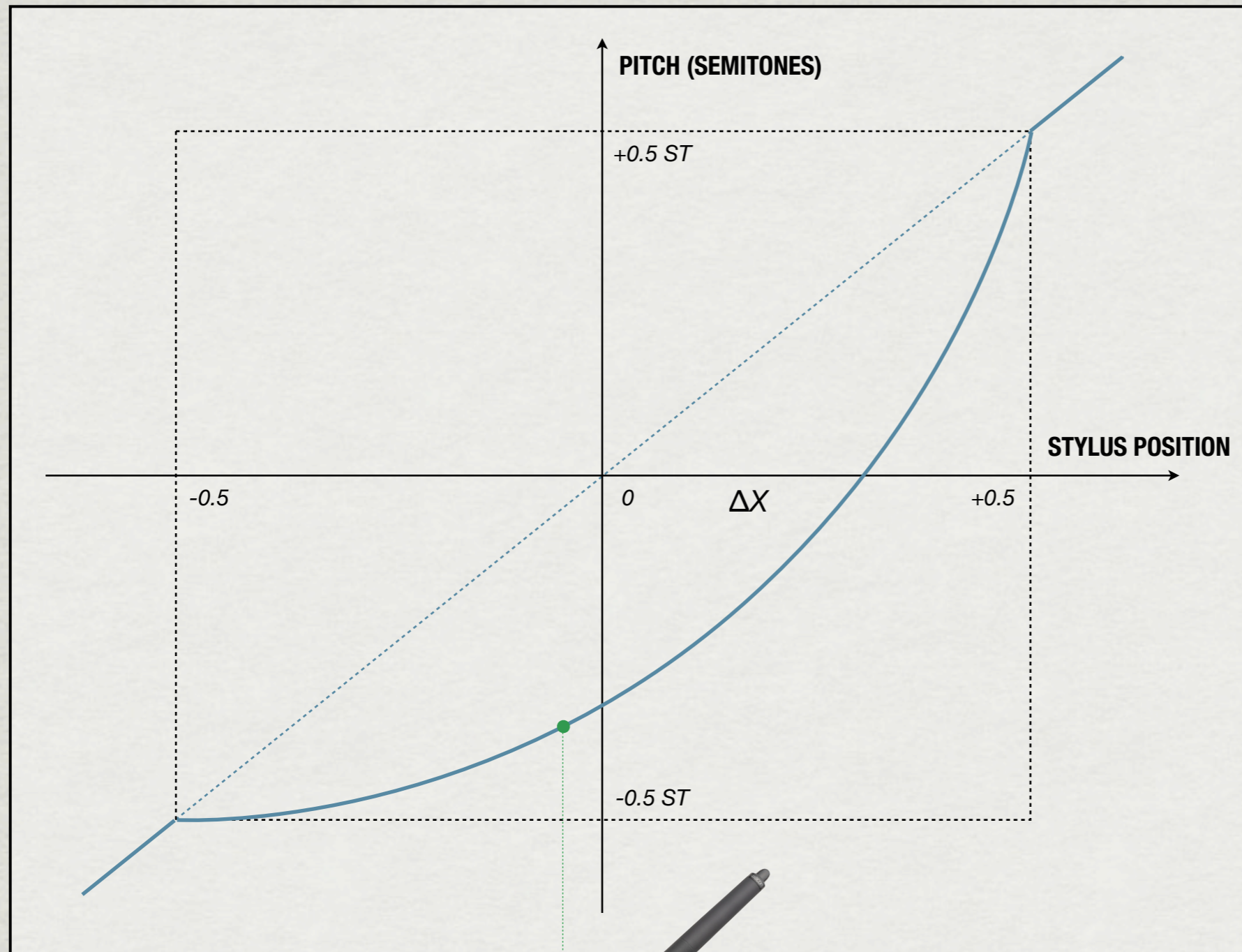
1. At contact:
Curve goes through the position of stylus
→ Accuracy
2. Move inside the key:
NL mapping
→ Expressivity
3. Go outside the key:
Linear mapping everywhere
4. New contact:
Back to 1.

F#

G

G#

Adaptive mapping algorithm

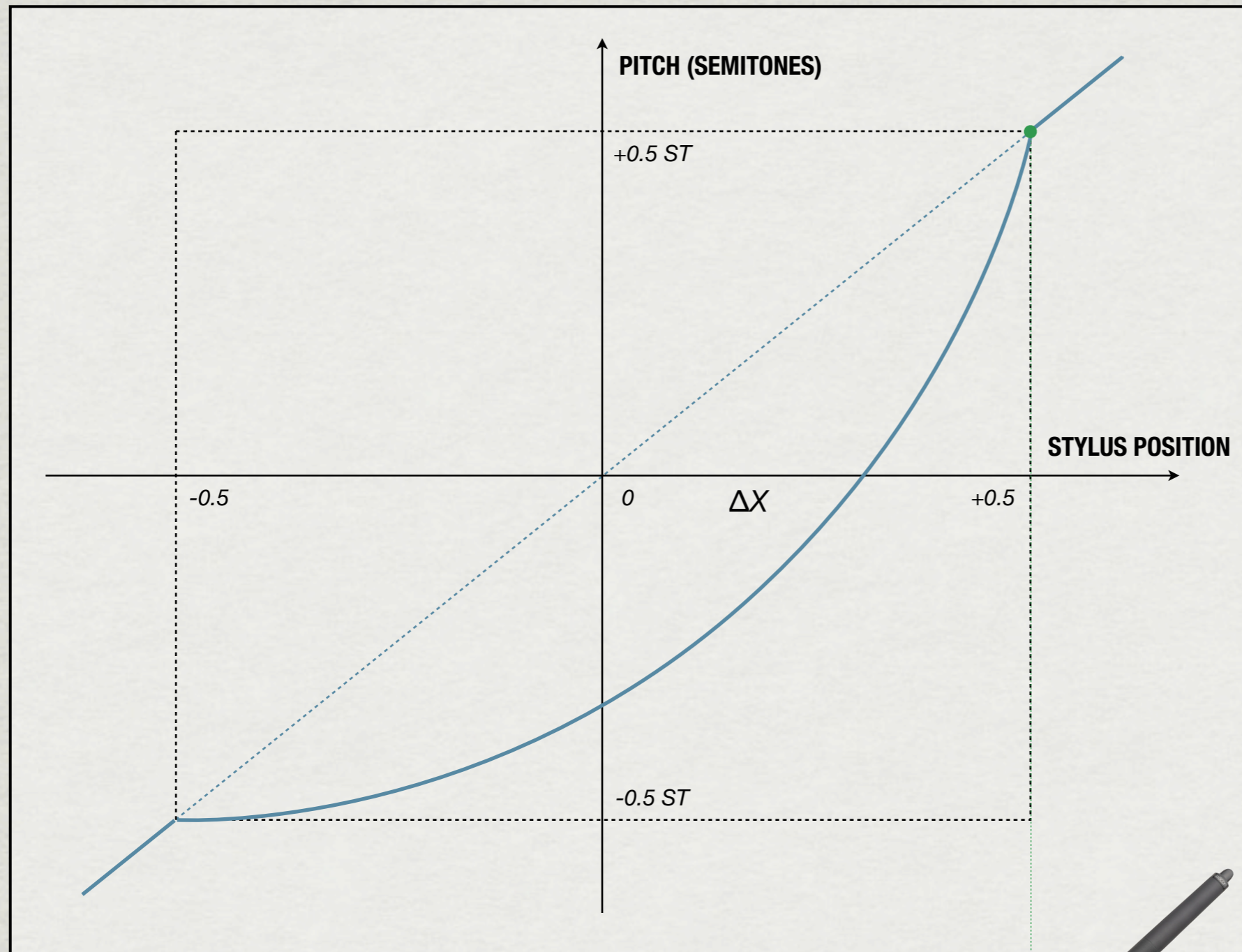


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Adaptive mapping algorithm



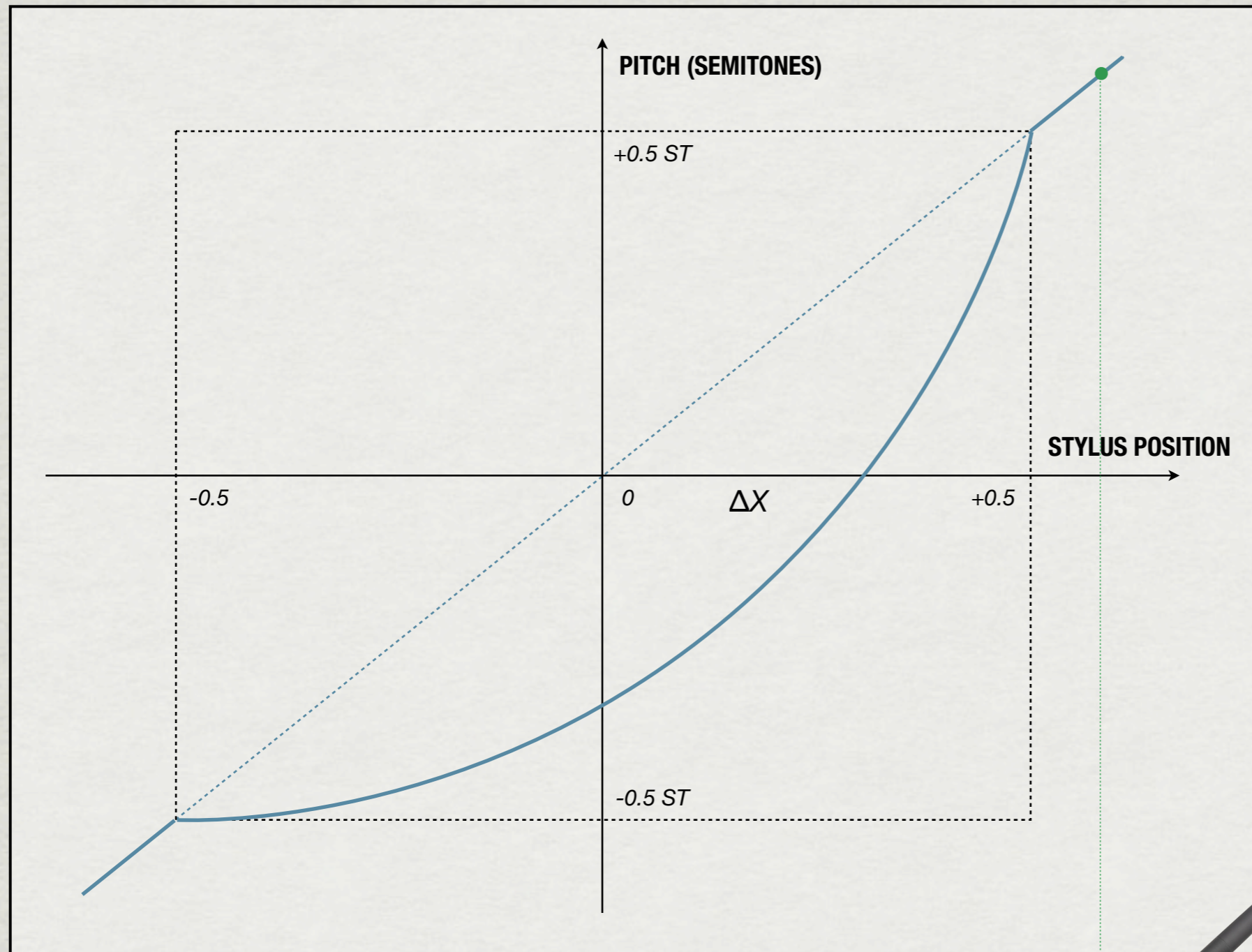
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Adaptive mapping algorithm

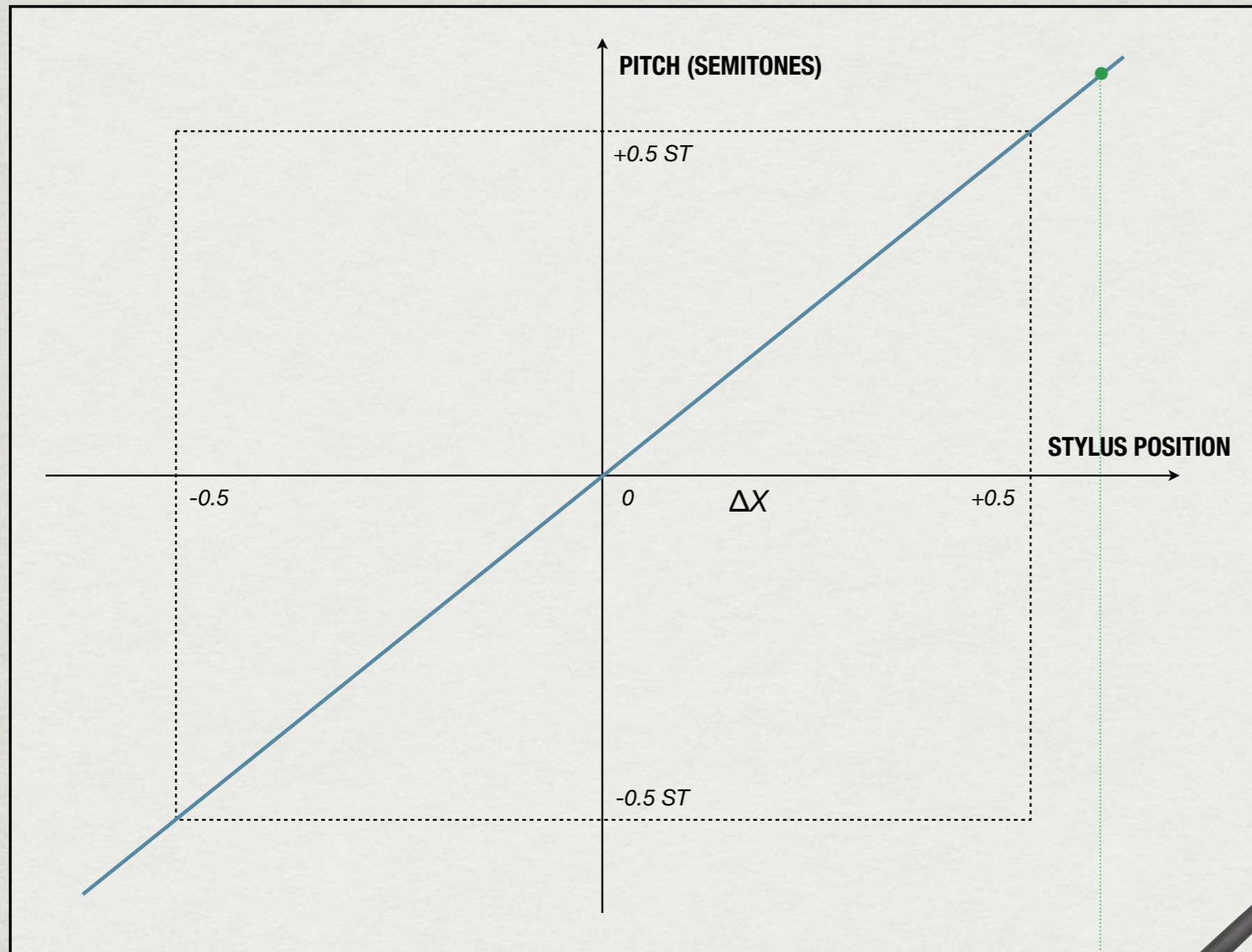


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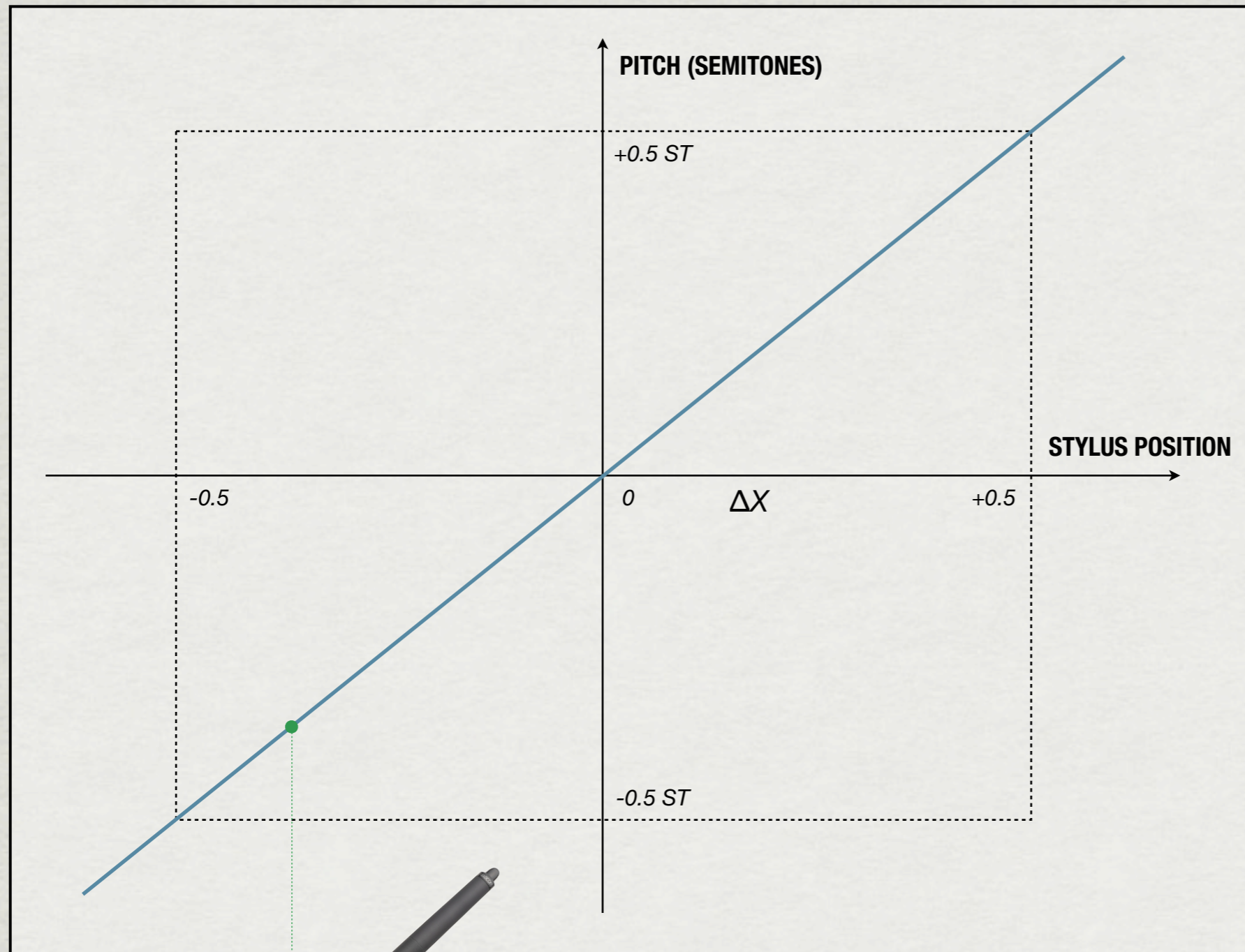


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Adaptive mapping algorithm



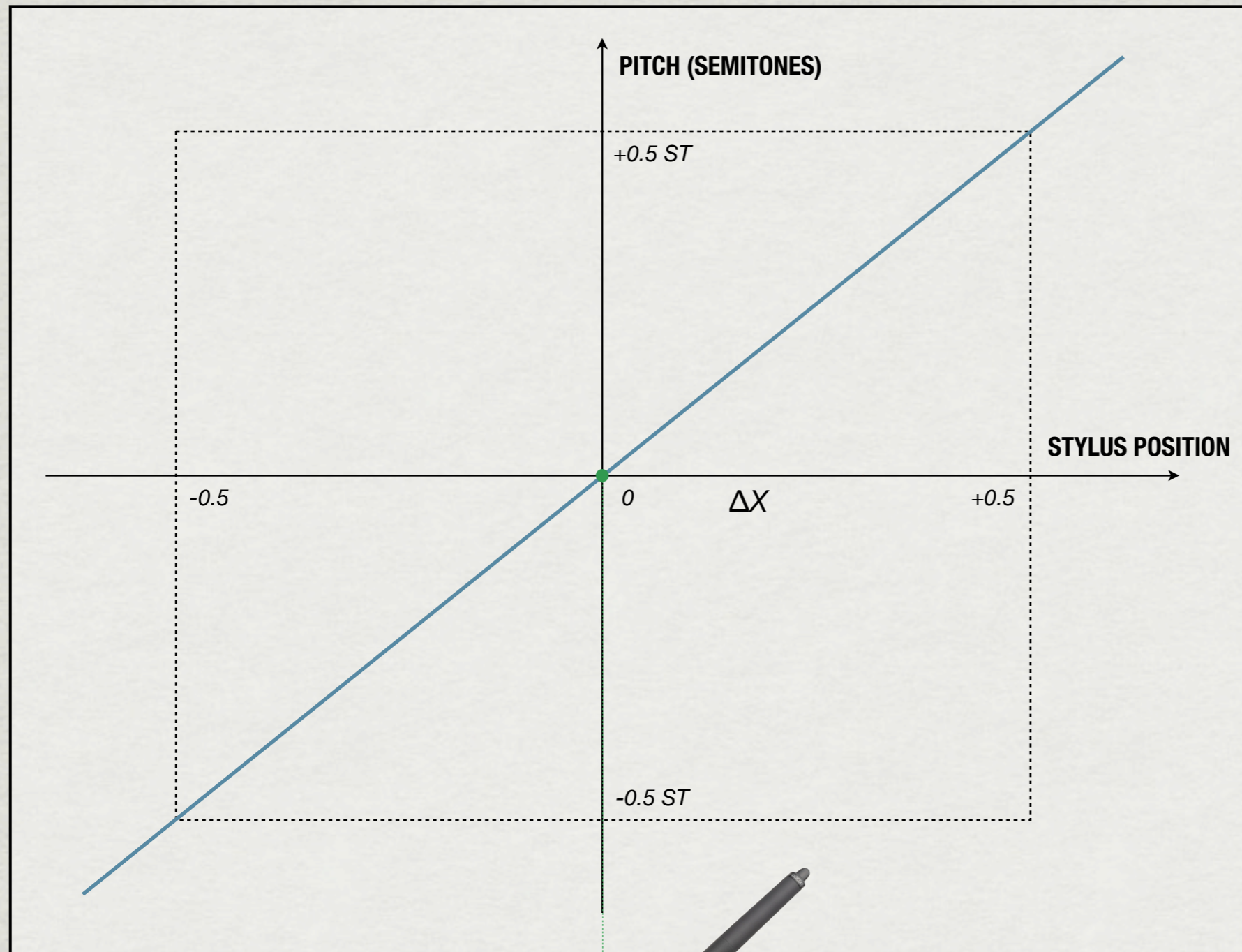
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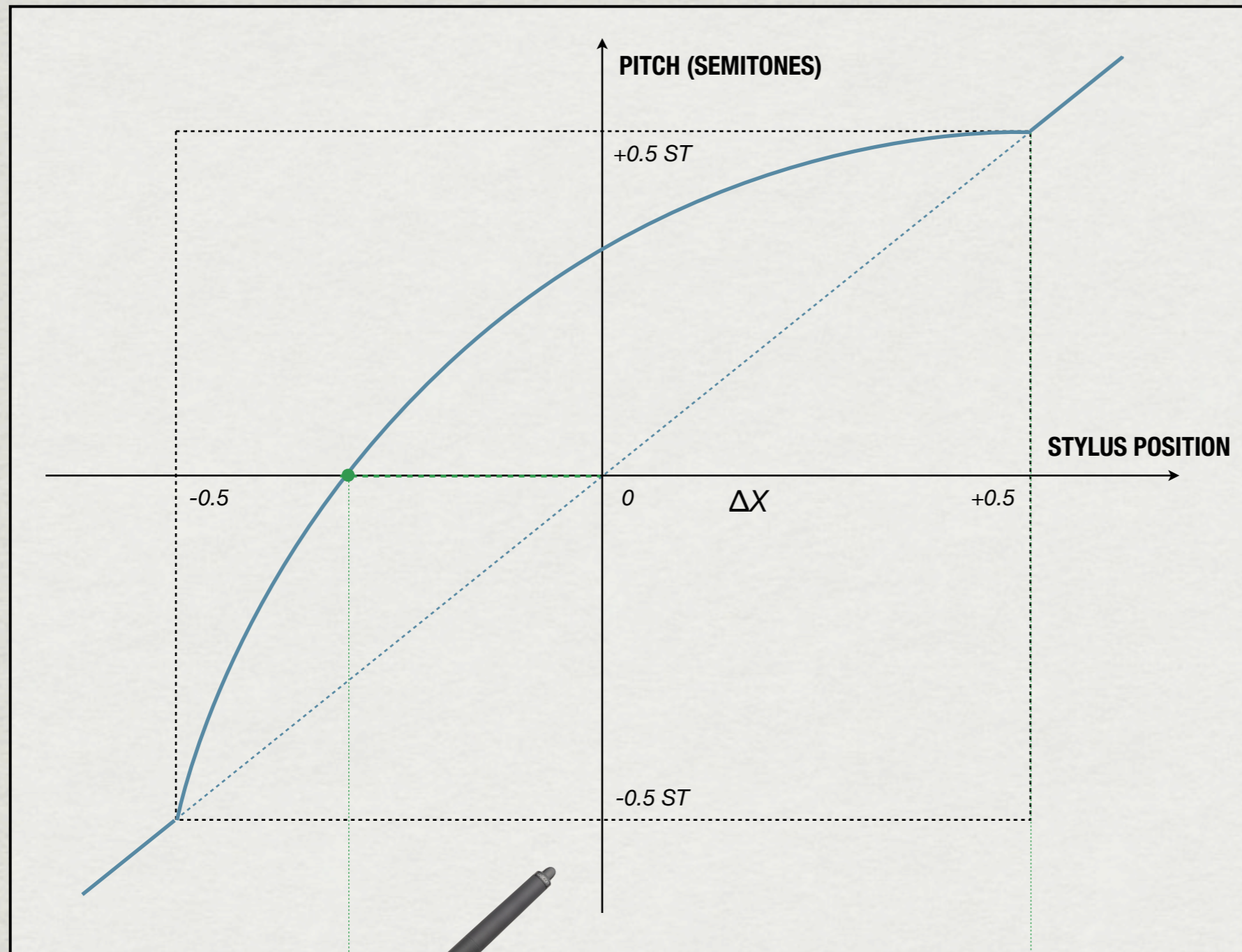
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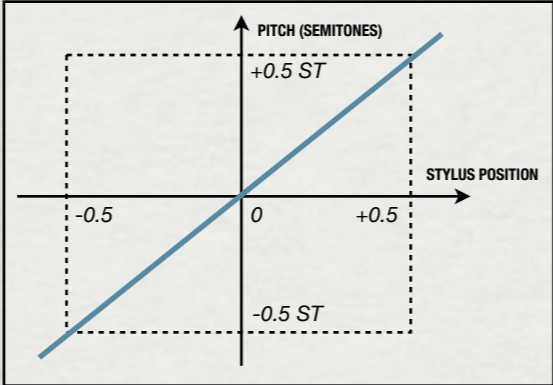

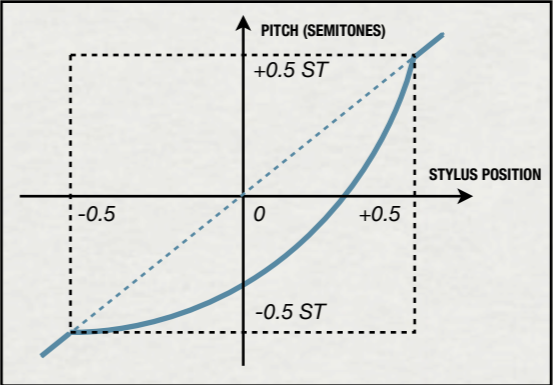

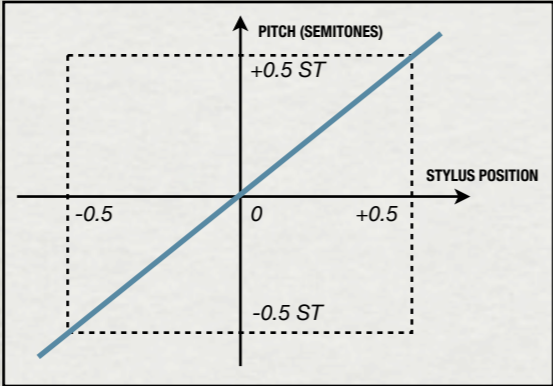

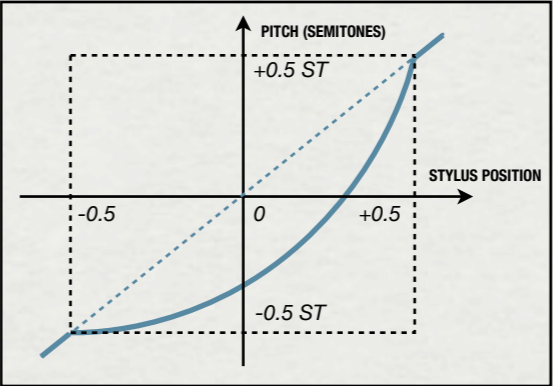

G#

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Experiment

- ✳ Compare performance of subjects with tablet in 4 conditions:

| | No correction | Correction |
|-------------------|--|---|
| No audio feedback |   |   |
| Audio feedback |   |   |

Protocol

- * Imitation of unfamiliar melodies: Alberti basses
 - * Various intervals
 - * Alternate forward / backward movements
 - * Double exercise (transposition)

The image displays musical notation for Alberti basses in two keys: C major and G major. The notation is organized into two main sections: "Patterns in C" and "Patterns in G".

Patterns in C: This section contains two staves of music. The first staff is labeled "Patterns in C" and features two blue brackets above it, each labeled "Thirds". The second staff continues the pattern.

Patterns in G: This section contains two staves of music. The first staff is labeled "Patterns in G" and features two blue brackets below it, each labeled "Increasing interval". The second staff continues the pattern.

The notation uses a treble clef and a common time signature (C). The notes are quarter notes, and the patterns consist of alternating forward and backward movements across various intervals.

Protocol

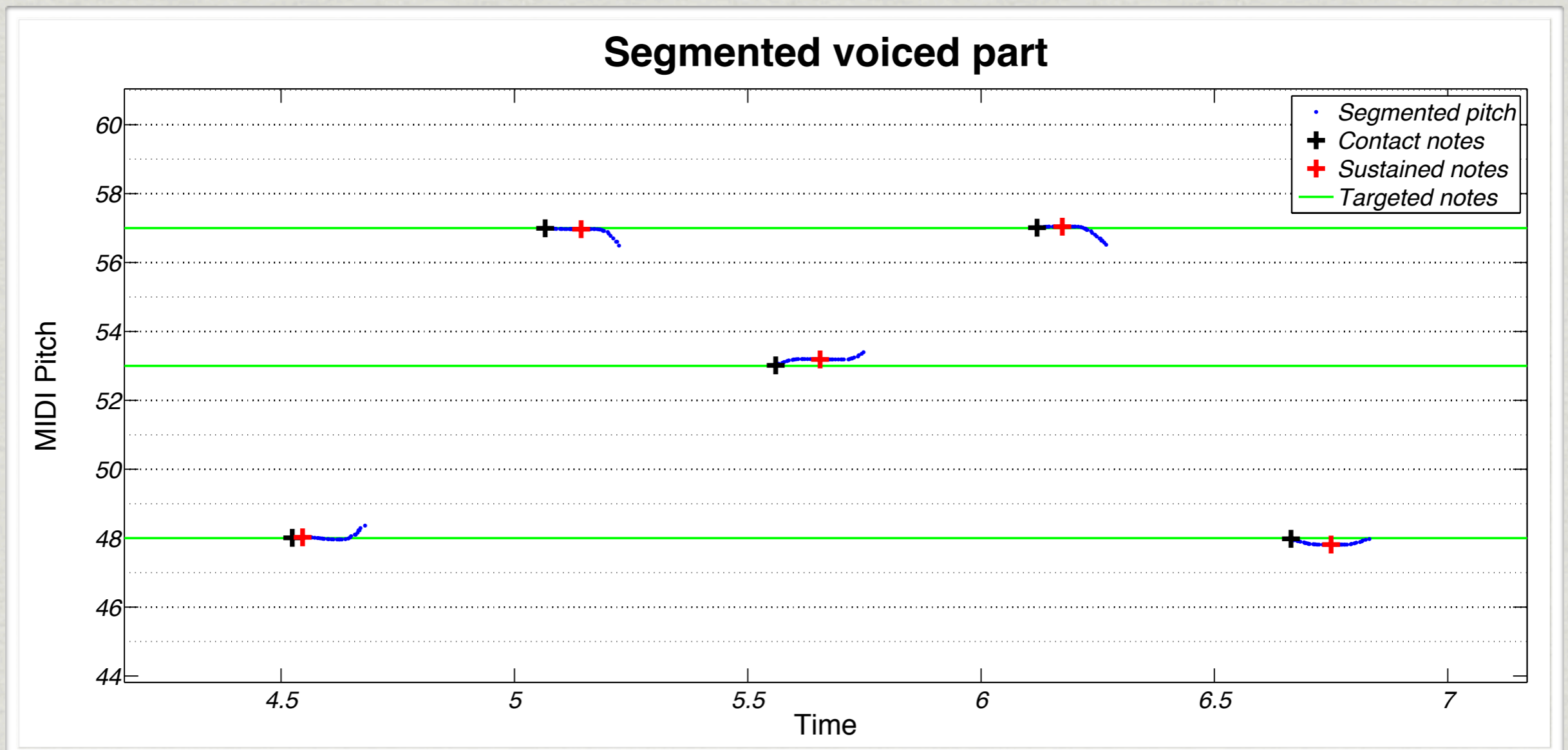
- * Imitation of unfamiliar melodies: Alberti basses
 - * Various intervals
 - * Alternate forward / backward movements
 - * Double exercise (transposition)

- * Protocol
 - * Visual (score) and audio (MIDI) support
 - * Fixed tempo: 120 b.p.m. (metronome)
 - * New contact for each note

- * Subjects
 - * 7 subjects
 - * Average age: 28
 - * 50% musicians (average practice: 15 years)

Datas

- ✱ Data extraction
 - ✱ Value at contact
 - ✱ Sustained value (stylization)



Datas

* Data extraction

- * Value at contact
- * Sustained value (stylization)

* Measures

* Accuracy

Music: Ability to reproduce a note in tune

Statistics: Mean of errors between sung notes and their targets

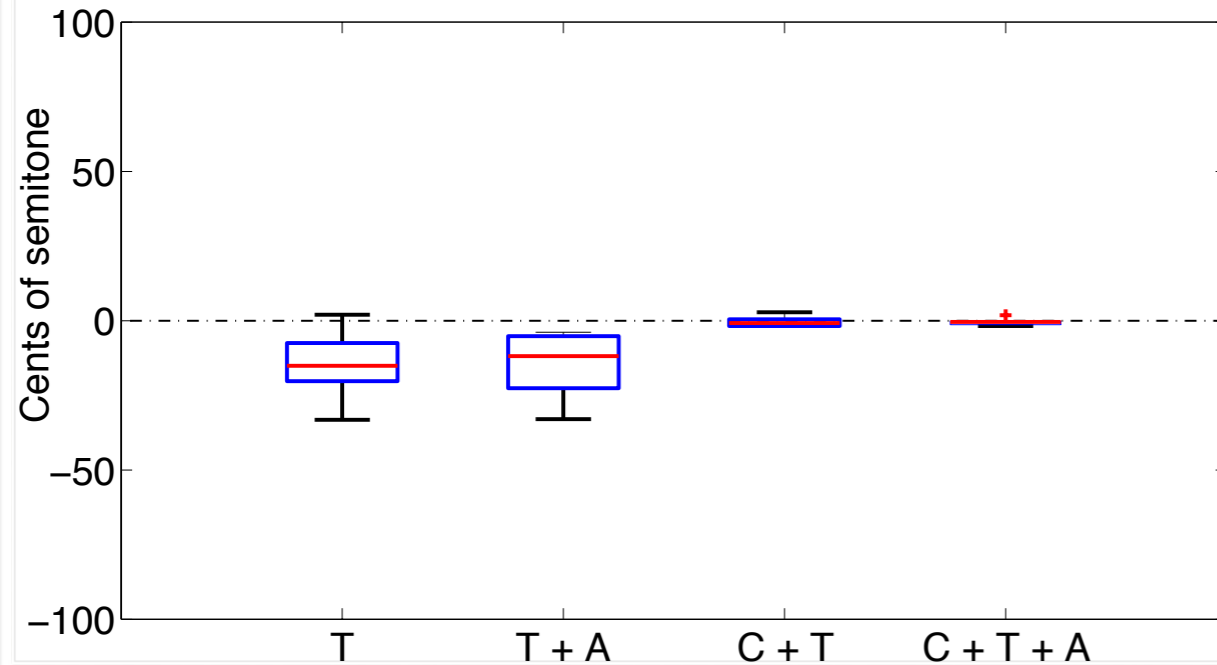
* Precision

Music: Pitch stability of the player

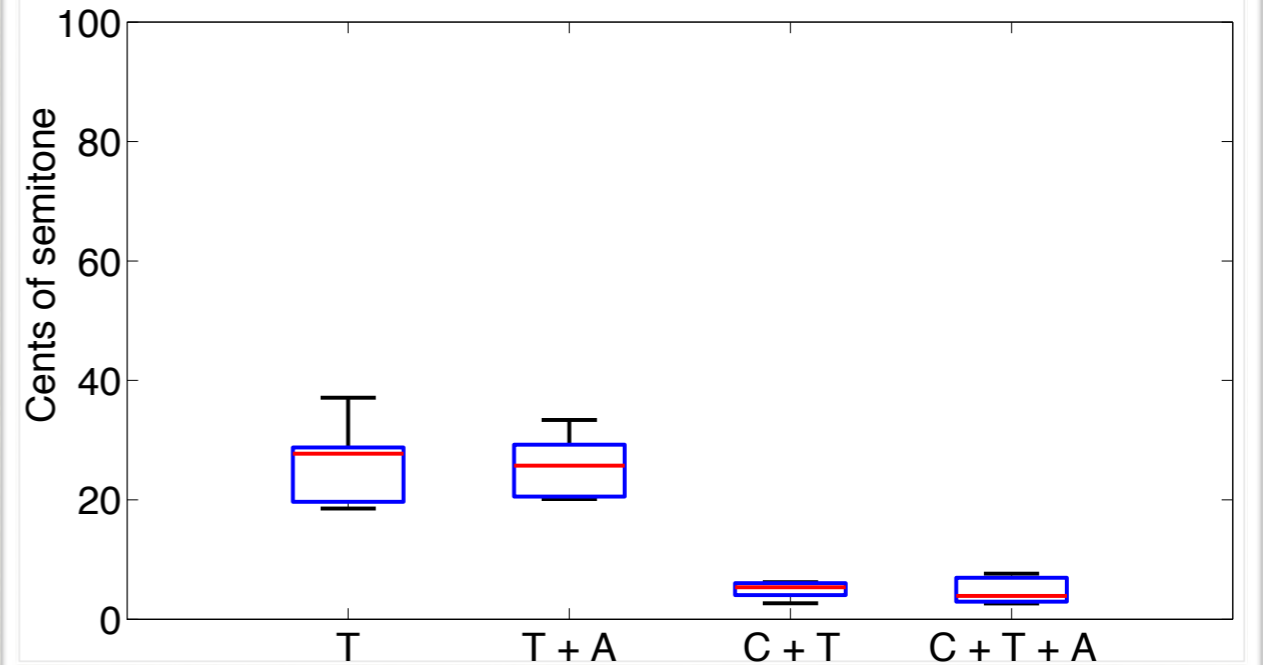
Statistics: Standard deviation of the sung notes with same target

Analysis

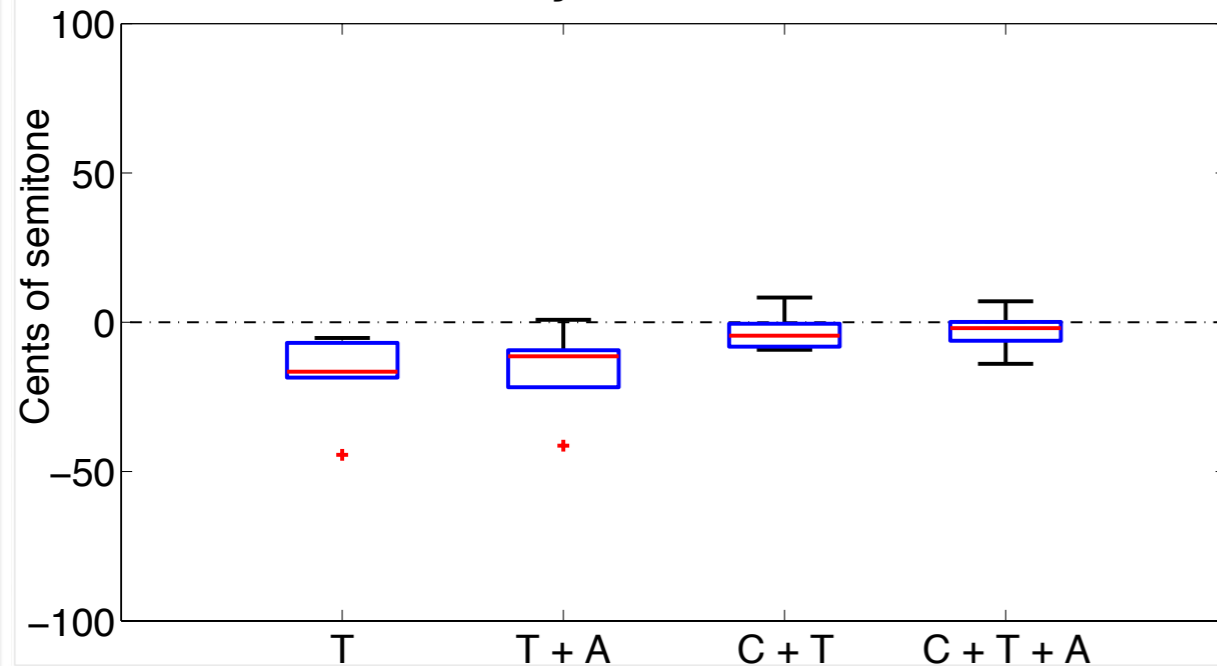
Accuracy of notes at contact



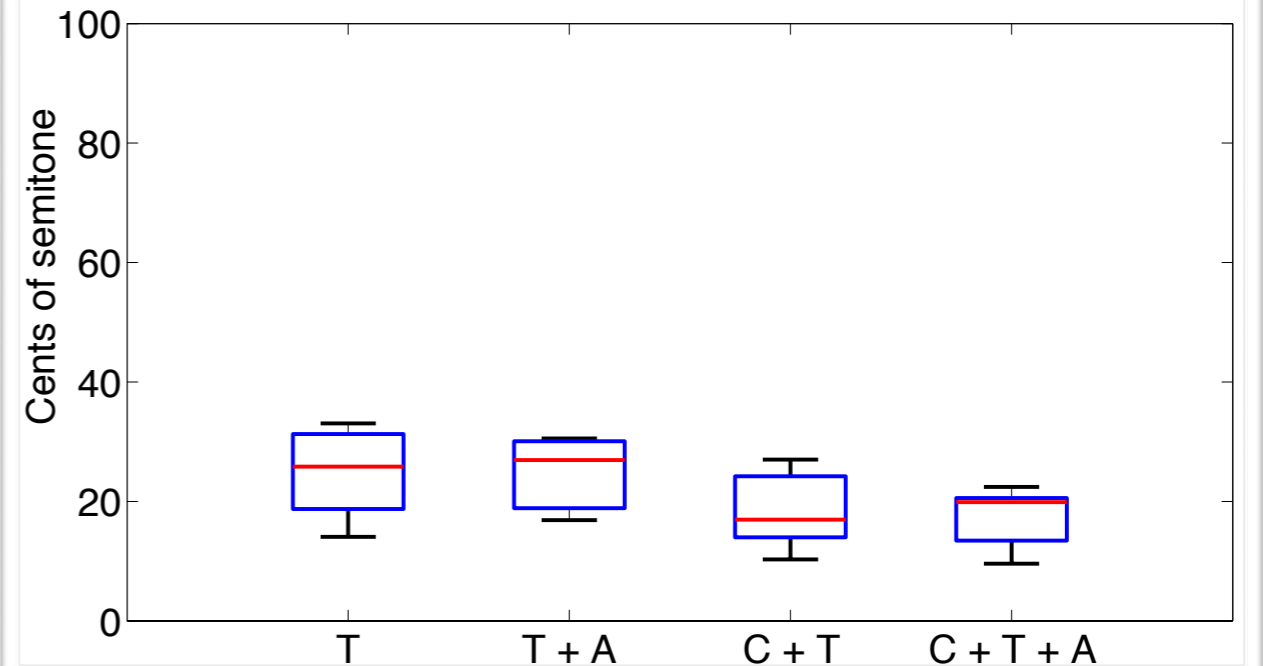
Precision of notes at contact



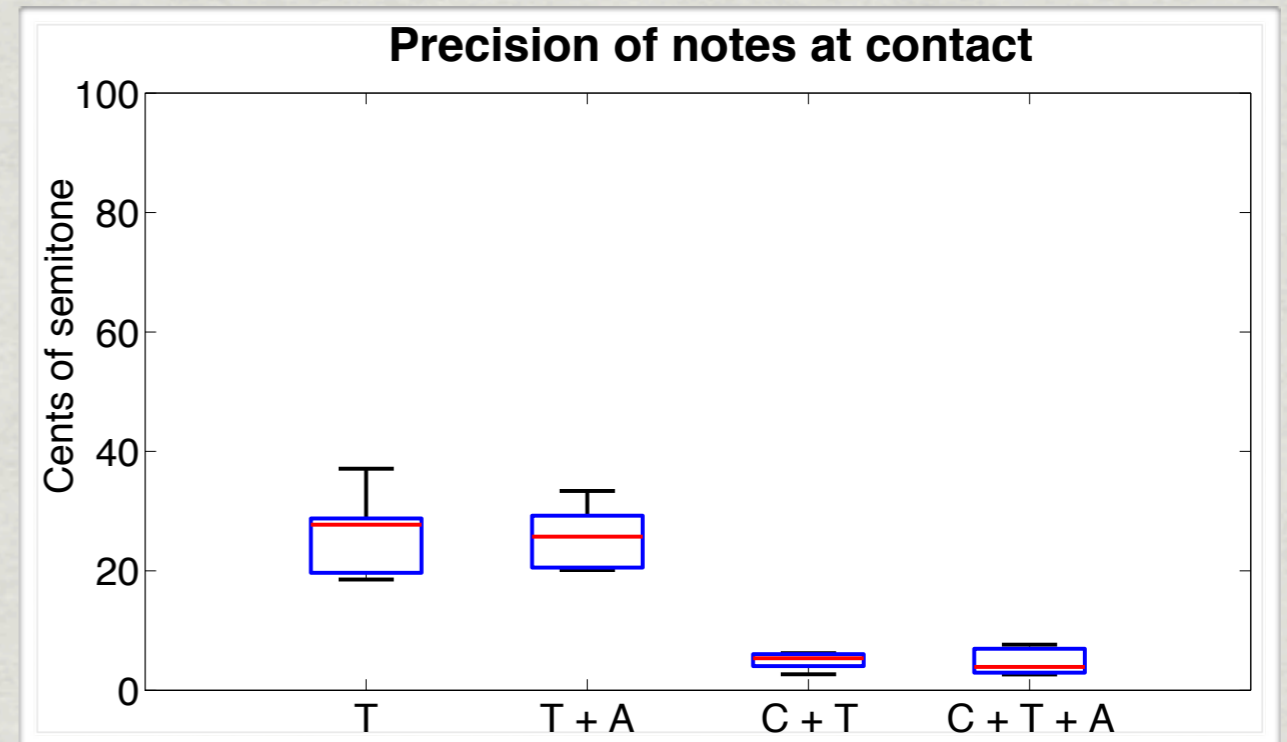
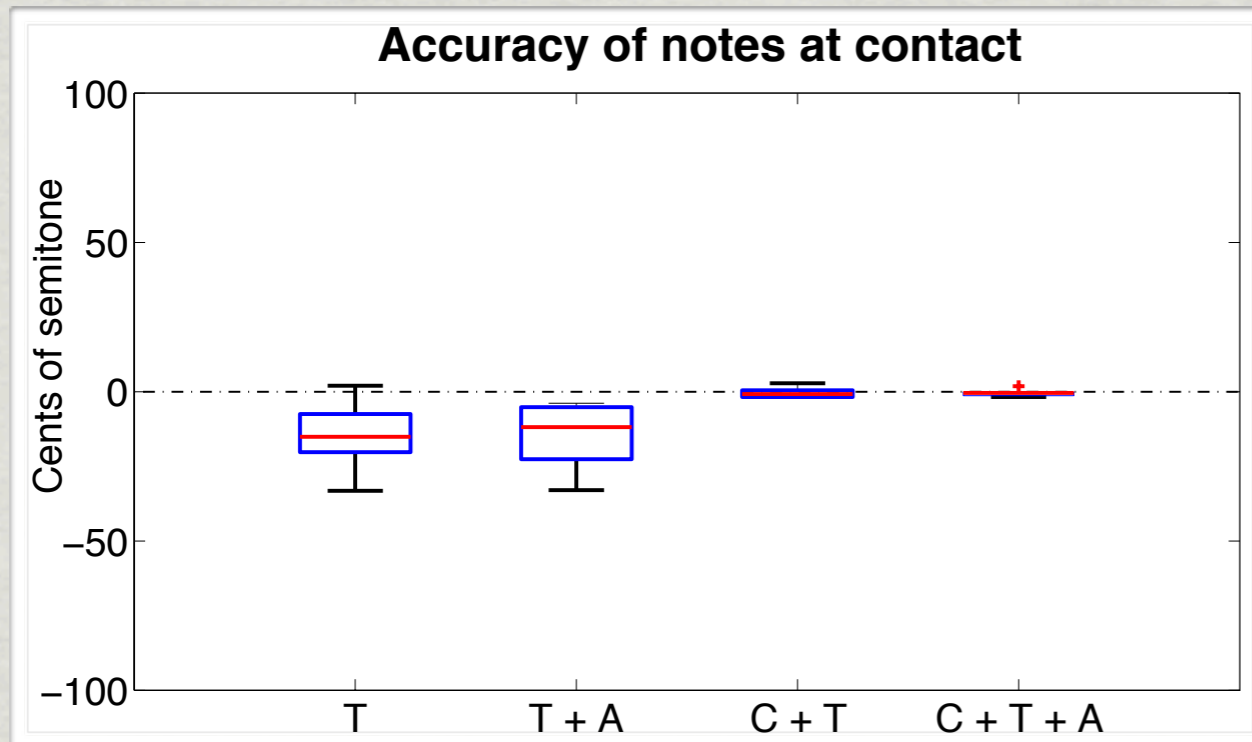
Accuracy of sustained notes



Precision of sustained notes



Analysis - contact

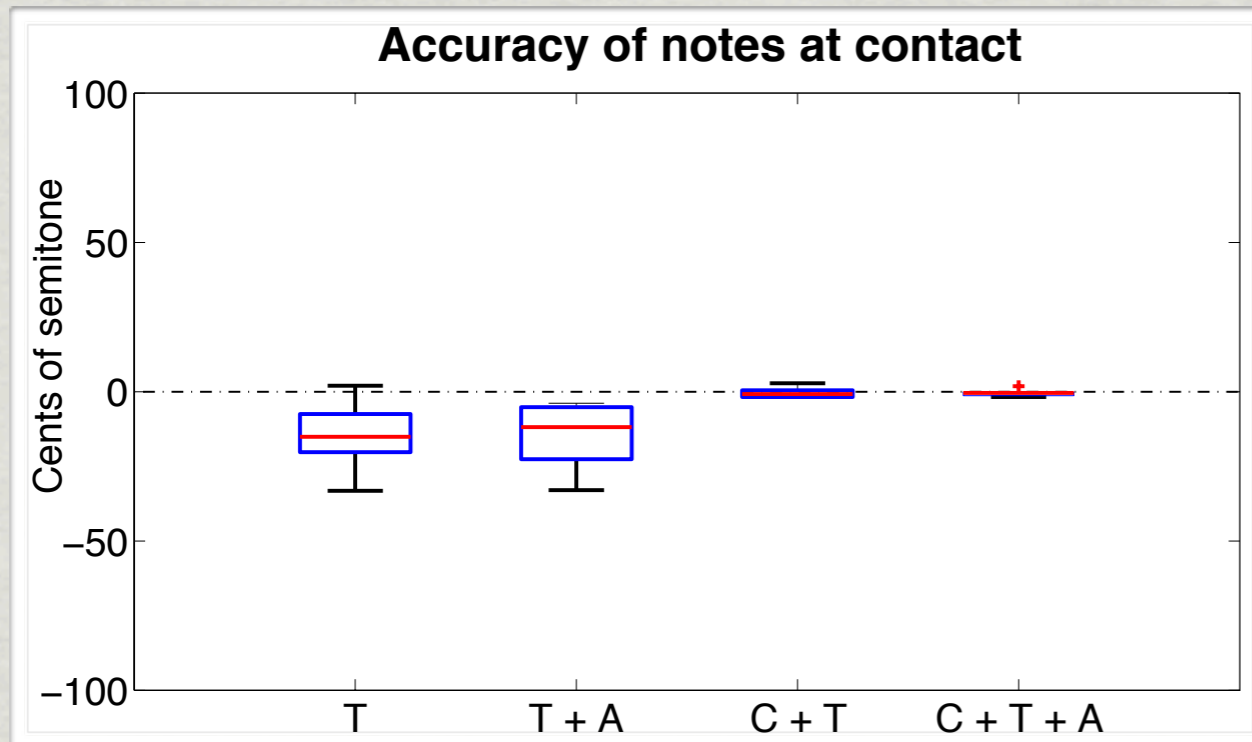


| Accuracy | | Precision |
|--|-------------------------------------|----------------------------------|
| Median of values ~ -0.13 ST | Without correction ($T, T+A$) | Median of values $\sim +0.26$ ST |
| All values < 0.04 ST (threshold perception) | With correction ($C+T, C+T+A$) | Median of values $\sim +0.05$ ST |

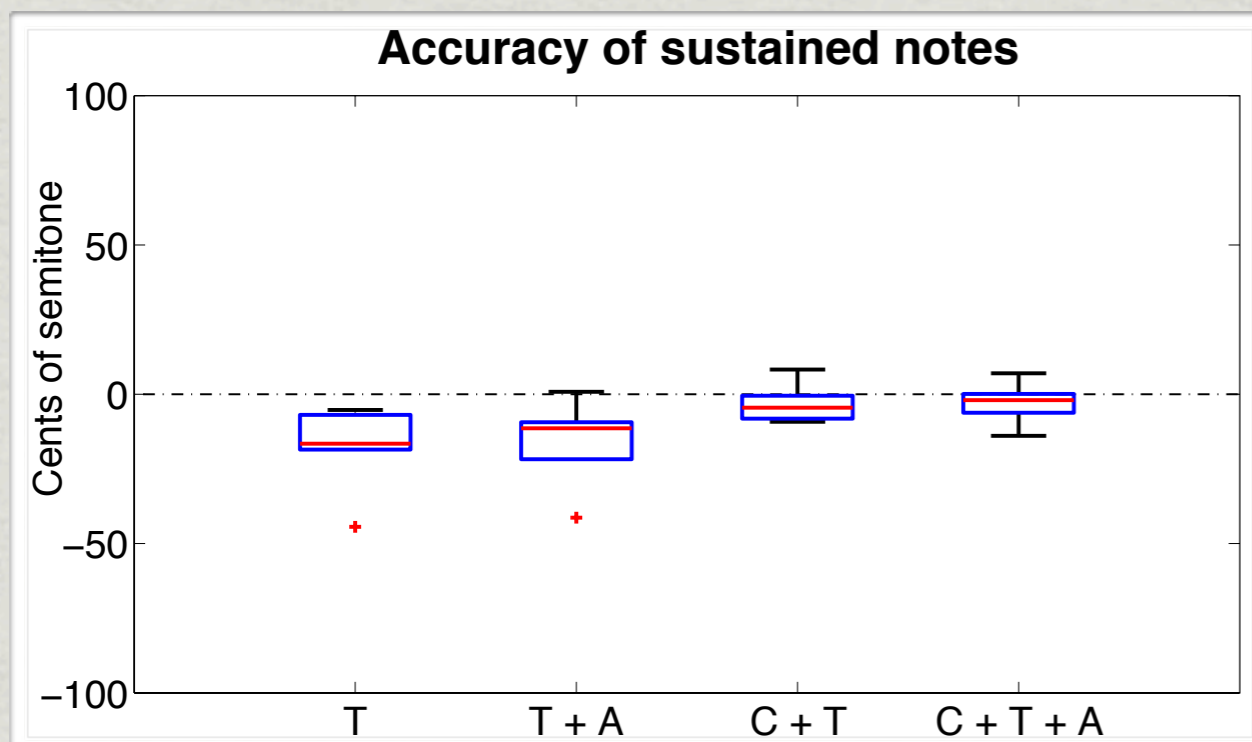
➔ Algorithm helps the player to play in tune at contact

➔ Algorithm helps pitch stability at contact

Analysis - accuracy

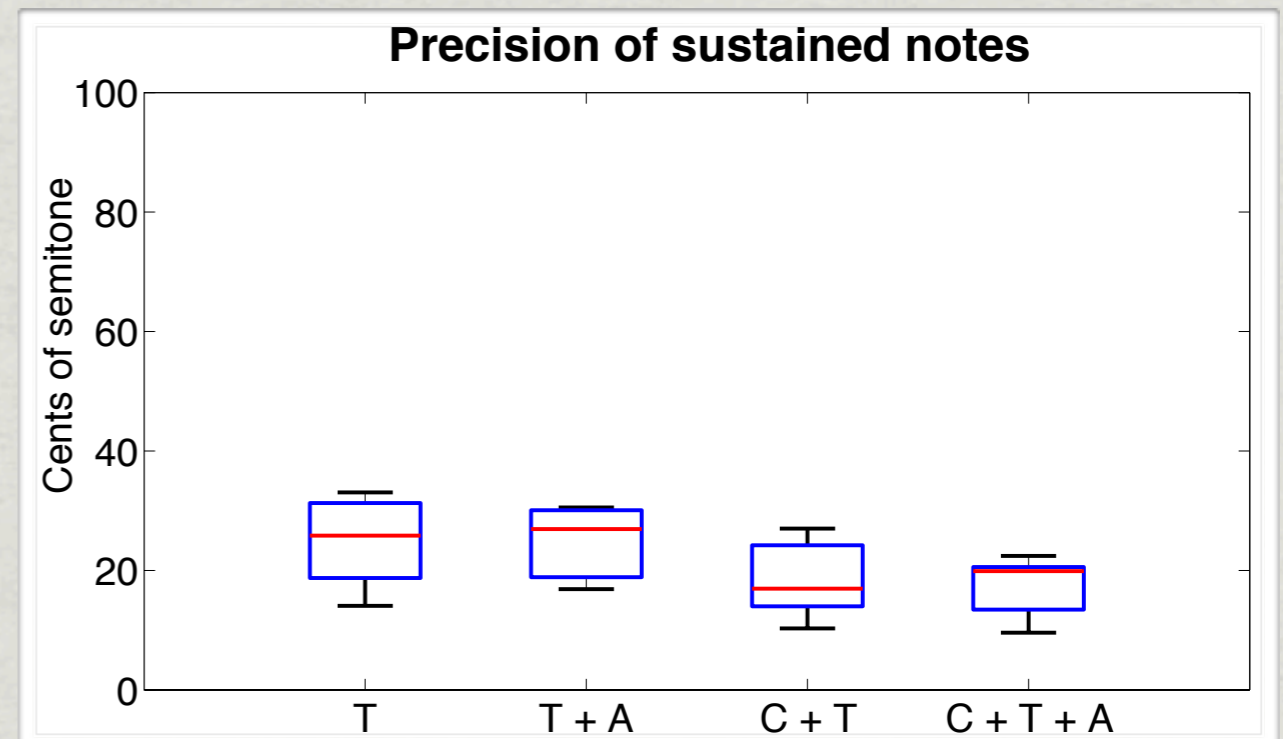
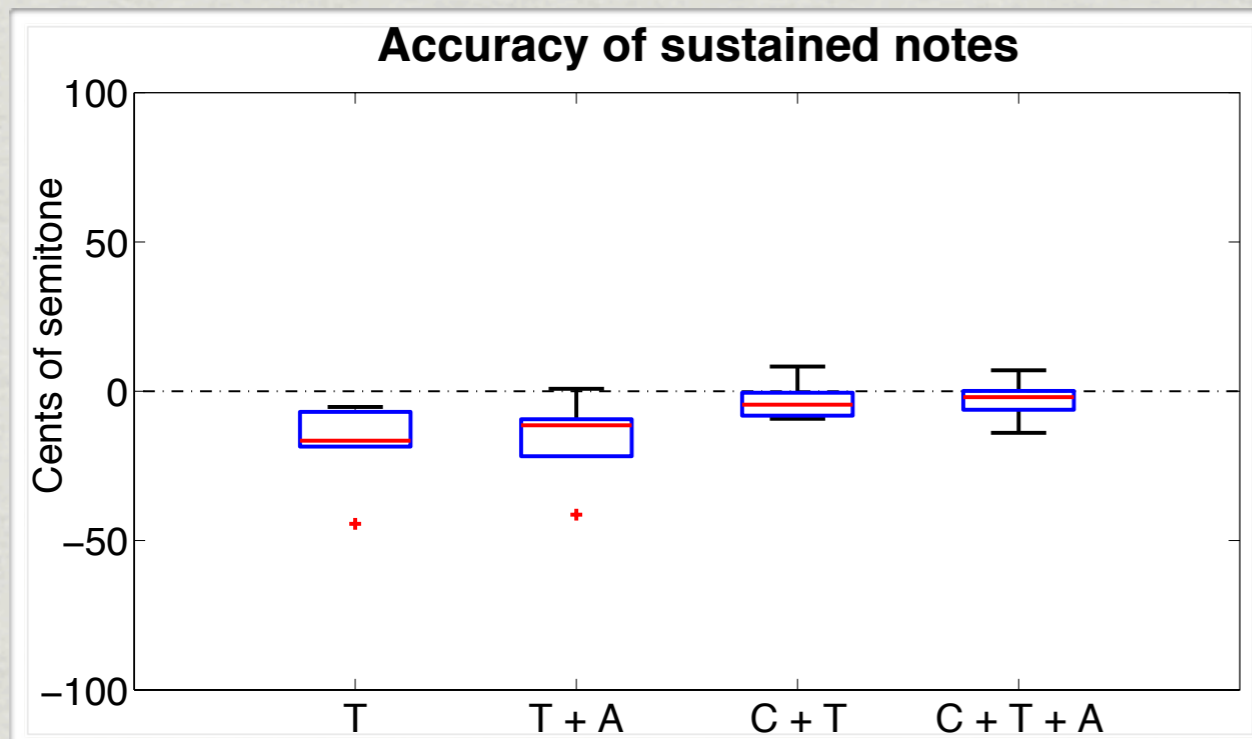
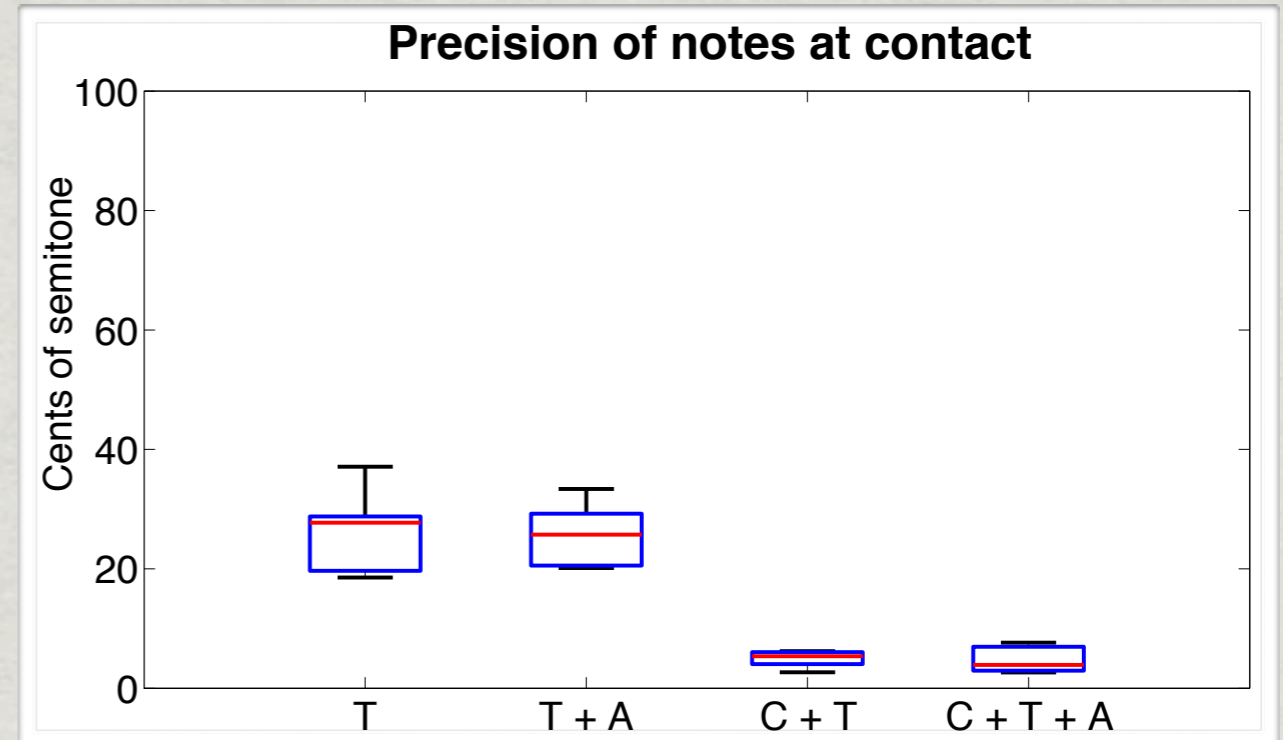


- * Sustained notes
 - * Improvement (median ~ 0.03 ST)
 - * Larger dispersion / contact
 - ➔ Movement of stylus
- * With audio
 - * Smaller deviation
 - ➔ Feedback helps control
- * All outliers corrected



Analysis - precision

- * Fewer improvement
 - * Small median improvement
 - * Better with audio feedback
 - ➔ Movement prevents pitch stability



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Conclusions

- * Pitch correction in realtime
 - * Improve significantly accuracy at contact
 - * Few improvement on precision
 - * Good perceptive results (no experiment)
- * Continuous mapping after contact
 - * Allow expressivity
 - * Limit: natural deviation of stylus
- * Further work
 - * Conduct perceptive experiments
 - * Conduct experiments with touch interfaces (fingers)
- * Evening concert tomorrow !

Accuracy and precision

* Accuracy

Mean of errors between sung notes and their targets

$$A = \frac{\sum_i^N (S_i - T_i)}{N}$$

* Precision

Standard deviation of notes with same targets

$$P_{PC} = \sqrt{\frac{\sum_i^{N_{PC}} (S_i - M_{PC})^2}{N_{PC}}}$$

* Notations

S_i = sung note indexed by i

T_i = note target indexed by i

N = number of notes in a melody

M_{PC} = mean of all sung notes with same target (pitch class)

N_{PC} = number of notes with same target (pitch class)